

Beamline Optimization

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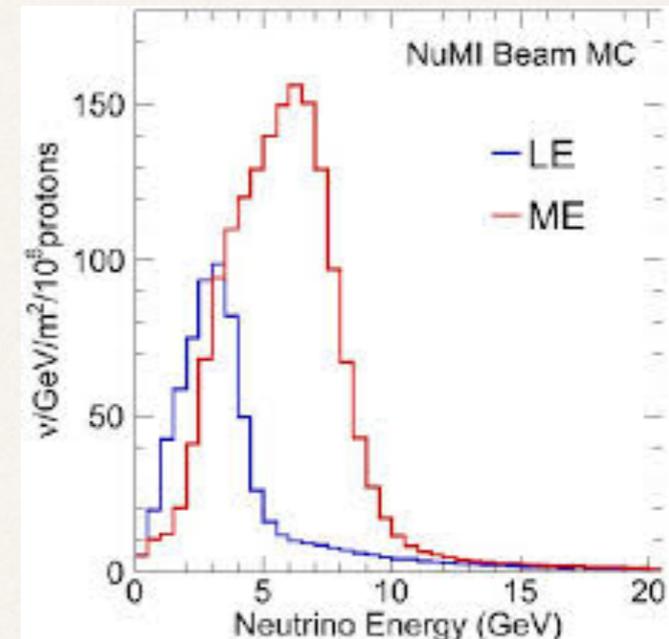
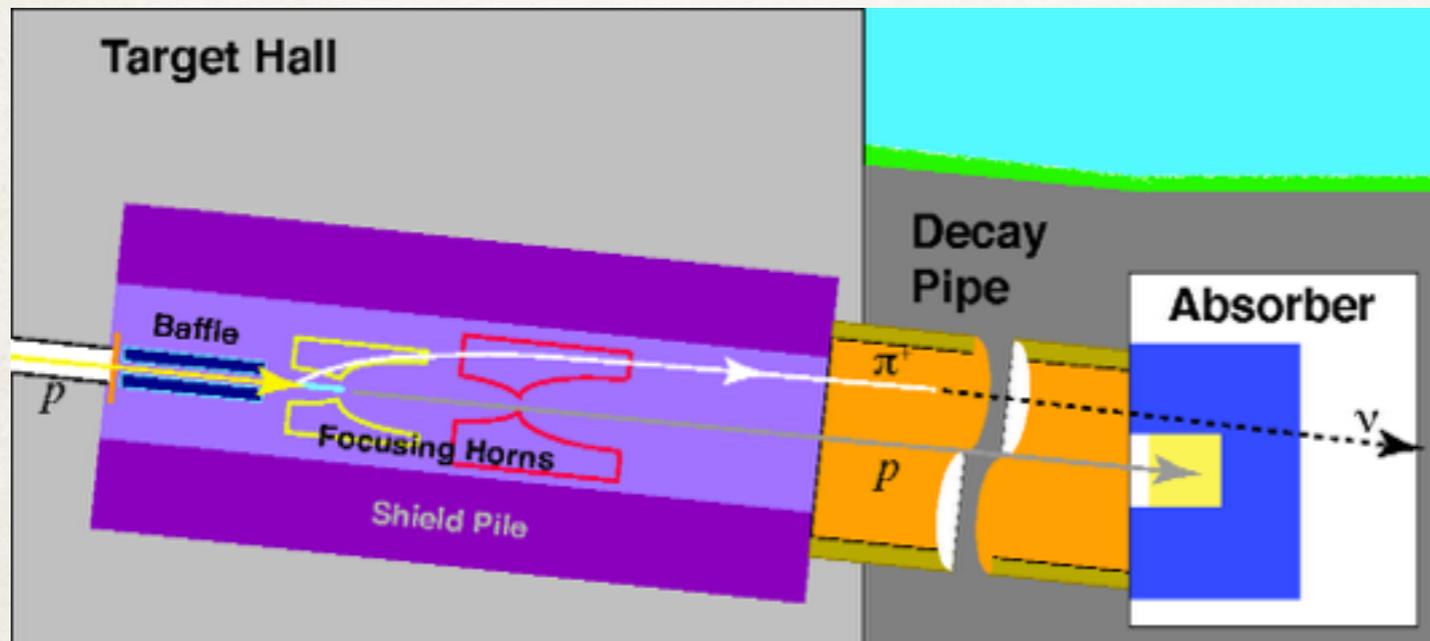
20 November 2014

Outline

- ❖ Introduction
- ❖ Optimization Procedure
- ❖ Results
- ❖ Future plans

Introduction

- ❖ Neutrino beamlines have a lot of configurable parameters:



- ❖ Primary beam energy, target size / shape, horn shapes / current / spacing, decay pipe dimensions
- ❖ The different NuMI beam tunes are an excellent demonstration of this
- ❖ My goal: to find the best configuration for LBNE physics

Introduction

- ❖ LBNO has had success optimizing their beam configuration:

EN Engineering Department

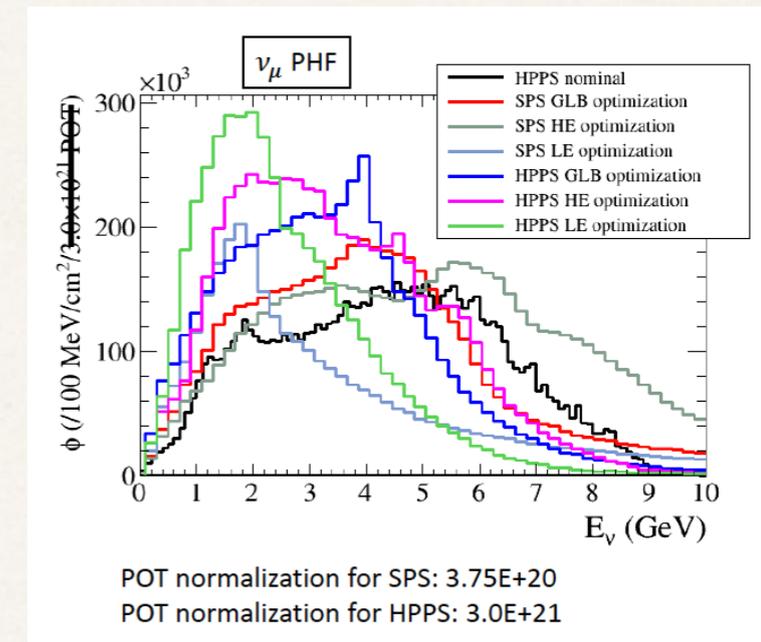
BEAM OPTIMIZATION – New horn shape

| Parameter | Symbol | Unit | Allowed range |
|----------------------------------|-----------|------|---------------|
| target radius | r_{tgt} | mm | 4-15 |
| circulating current in horn | I_H | kA | 150-300 |
| horn length 1st part | h1.l1 | cm | 80-200 |
| horn length 2nd part | h1.l2 | cm | 150-250 |
| horn length 3rd part | h1.l3 | cm | 80-150 |
| horn length 4th part | h1.l4 | cm | 1-10 |
| horn length 5th part | h1.l5 | cm | 5-20 |
| horn large inner radius | h1.r2 | cm | 7-40 |
| horn neck radius | h1.r3 | cm | 2-15 |
| horn exit radius | h1.r4 | cm | 3-20 |
| reflector position | d_{HR} | m | 1-20 |
| circulating current in reflector | I_R | kA | 100-250 |
| reflector length 1st part | h2.l1 | cm | 50-300 |
| reflector length 2nd part | h2.l2 | cm | 50-300 |
| reflector neck length | h2.l3 | cm | 3-20 |
| reflector 1st ell large radius | h2.r1 | cm | 10-40 |
| reflector 2nd ell large radius | h2.r2 | cm | 10-40 |
| reflector neck radius | h2.r3 | cm | 2-10 |

**18 parameters describing the system
{ target + horn + reflector }**

(horn thickness= 2mm → fixed parameter)

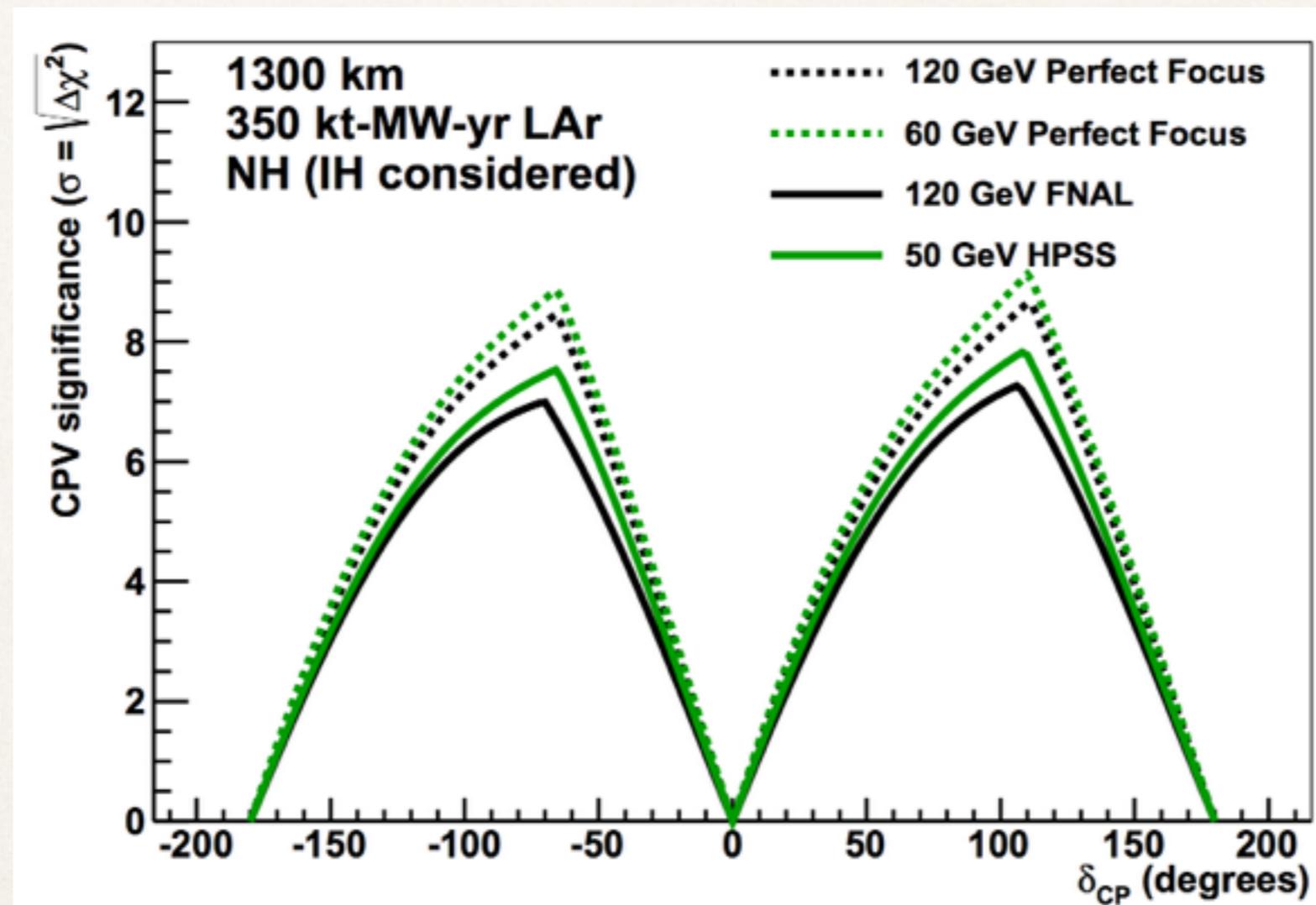
EN STI **Ph.Velten** **2/11/2014**



- ❖ Used a genetic algorithm, considered two different proton beams, and optimized to several quantities; the most successful optimized ν_μ flux from 1 to 2 GeV

Introduction

- ❖ Replacing the standard LBNE flux with the LBNO optimized flux in LBNE sensitivity studies modestly improves CP sensitivity:

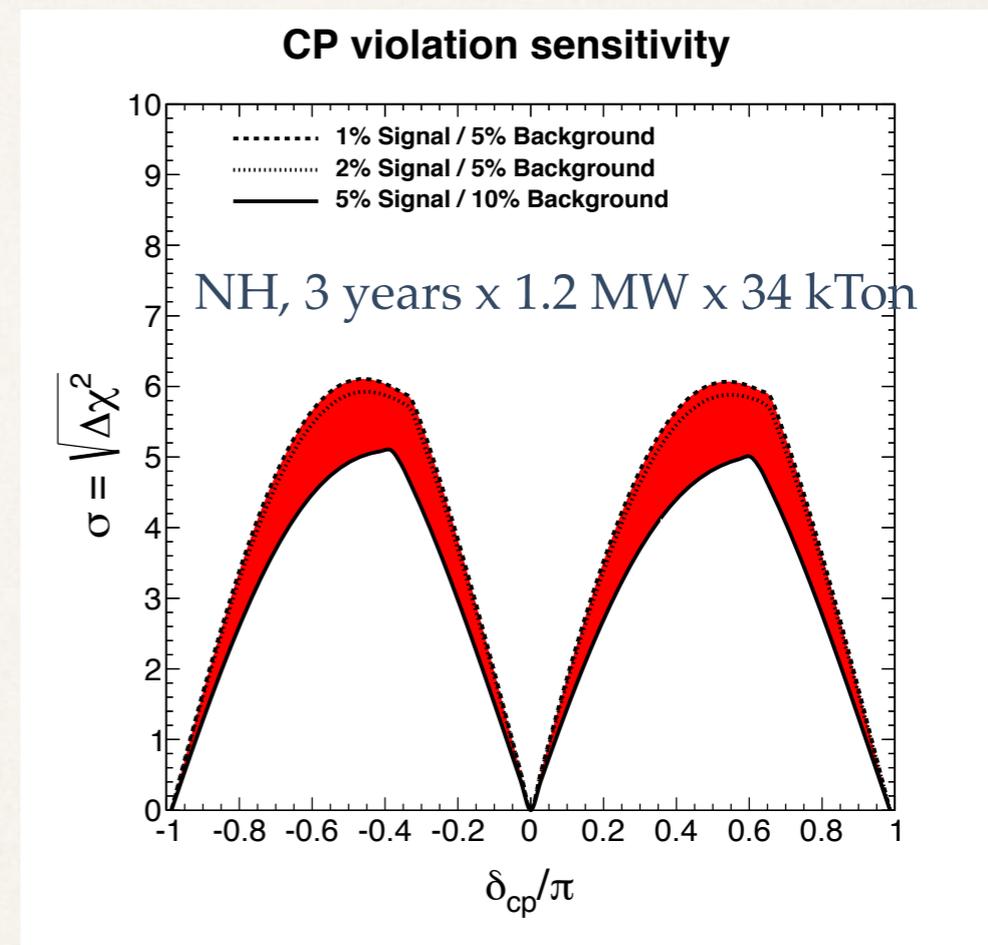
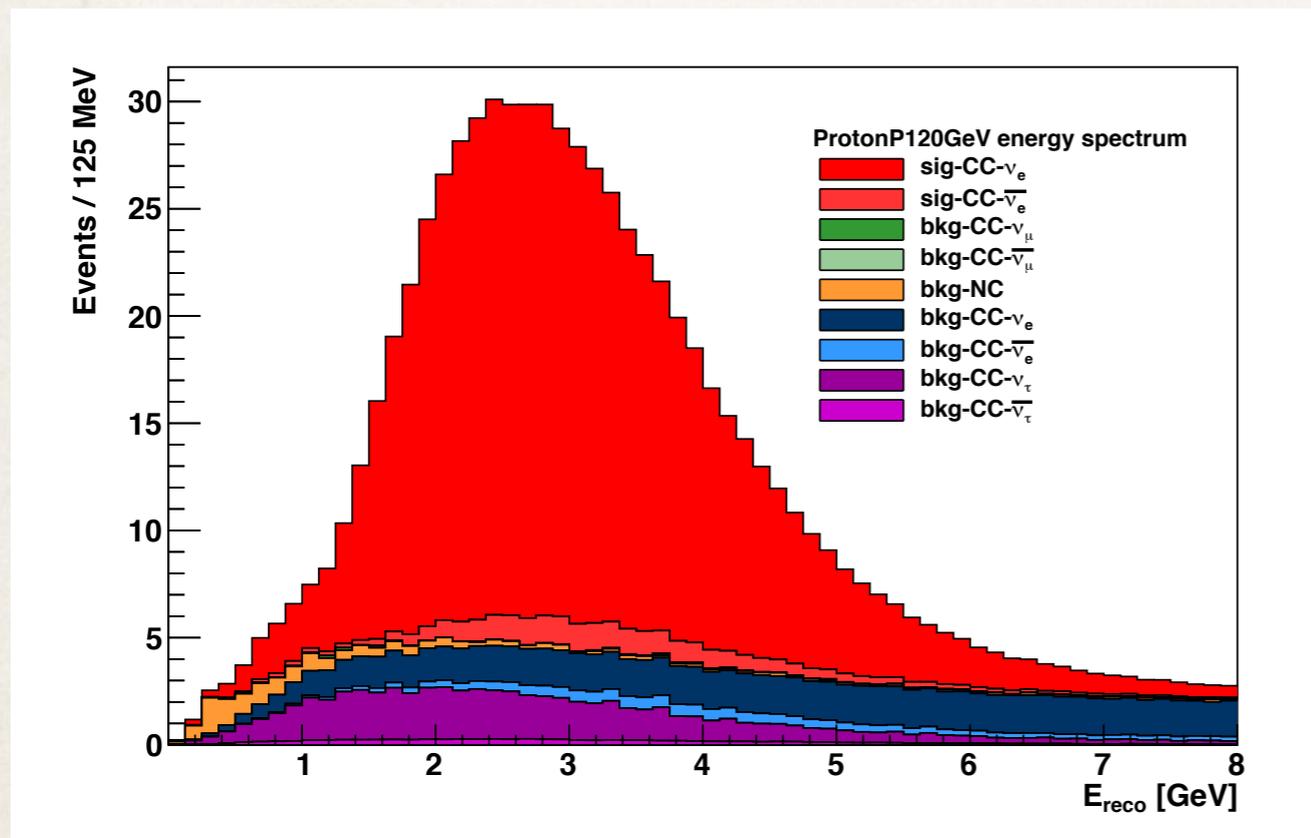


L. Whitehead

- ❖ But we can likely do better by doing a similar optimization of the LBNE beamline. This talk is about my attempt to do that.

Optimization Procedure

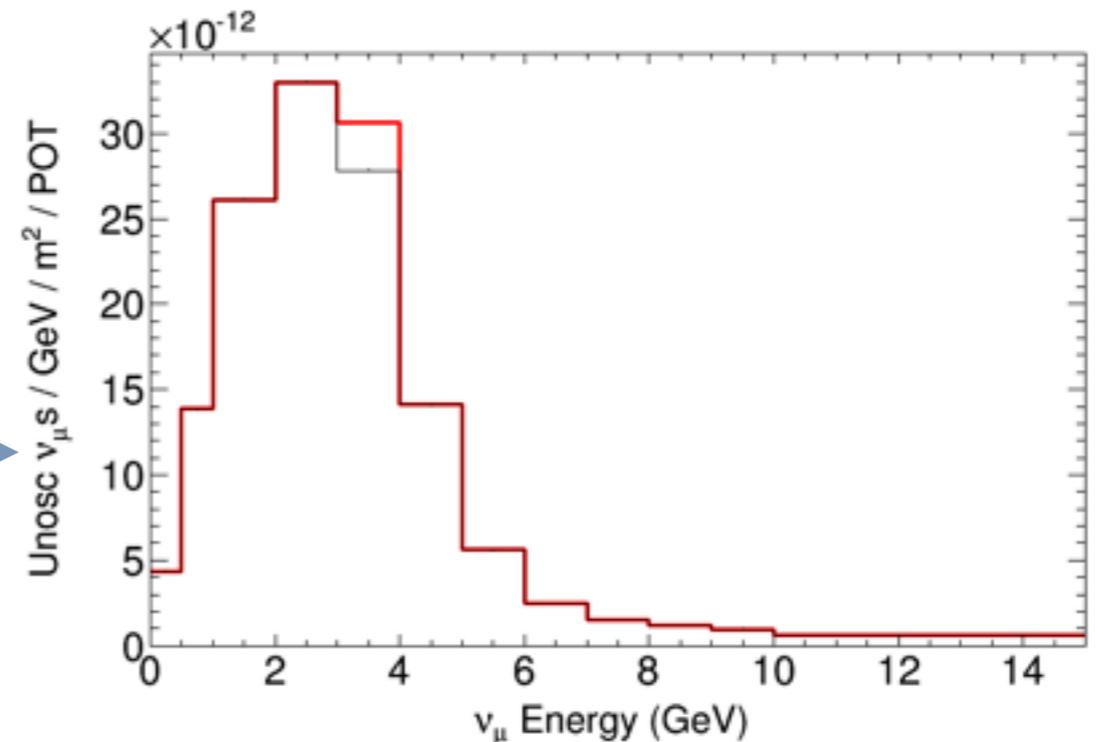
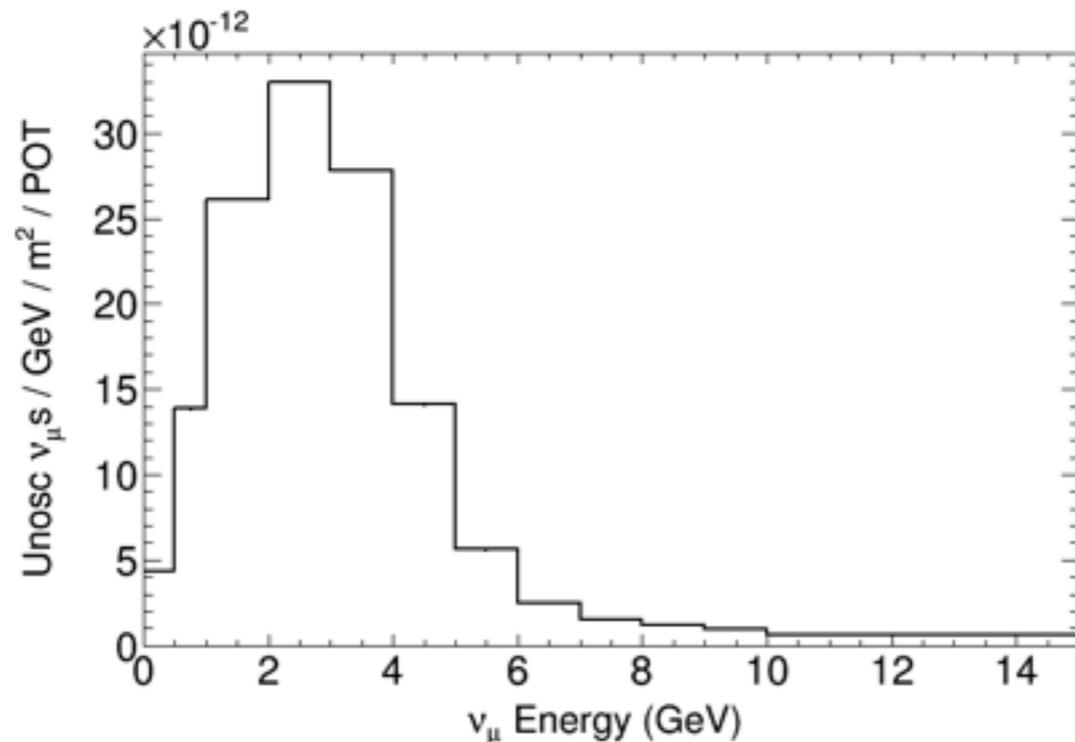
- ❖ First, we need something to optimize. I wanted to move beyond simply maximizing flux in certain region — CP sensitivity is a complicated function of signal & background fluxes, cross sections, efficiencies, fake rates, resolution, etc



- ❖ Ideally, we would use the LBNE Fast MC, which incorporates our current best estimates of all of these. Unfortunately, flux \rightarrow sensitivities takes \sim a week, so a full Fast MC based oscillation would take years

Optimization Procedure

- ❖ Instead, I used the Fast MC to do something we've been wanting to do in the beam simulation group for years: to quantify the relative merit of different flux energy bins:



- ❖ I used the fast MC to study the change in CP sensitivity given variations to individual bins of flux
- ❖ This was done for 672 configurations (3 fluxes ($\nu_\mu, \bar{\nu}_\mu, \nu_e$), 2 running modes (neutrino and anti-neutrino), 14 energy bins, 8 fractional changes in flux)

Optimization Procedure

- ❖ “CP sensitivity” can mean one of several different quantities. For my optimization studies, I took the advice of P5 and used CP sensitivity for 75% of CP phase space:

Building for Discovery

Strategic Plan for U.S. Particle Physics in the Global Context



Report of the Particle Physics Project Prioritization Panel (P5)

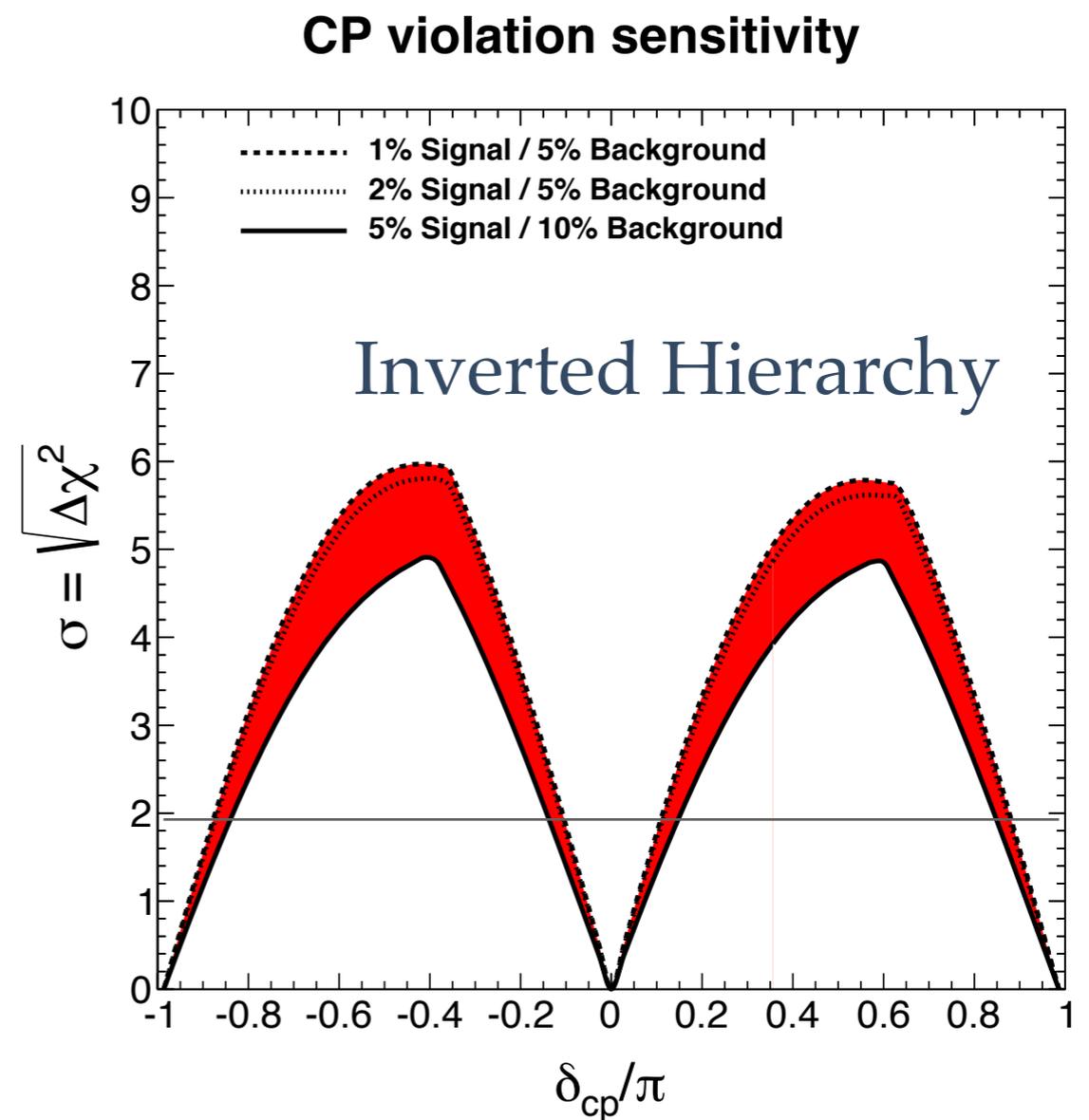
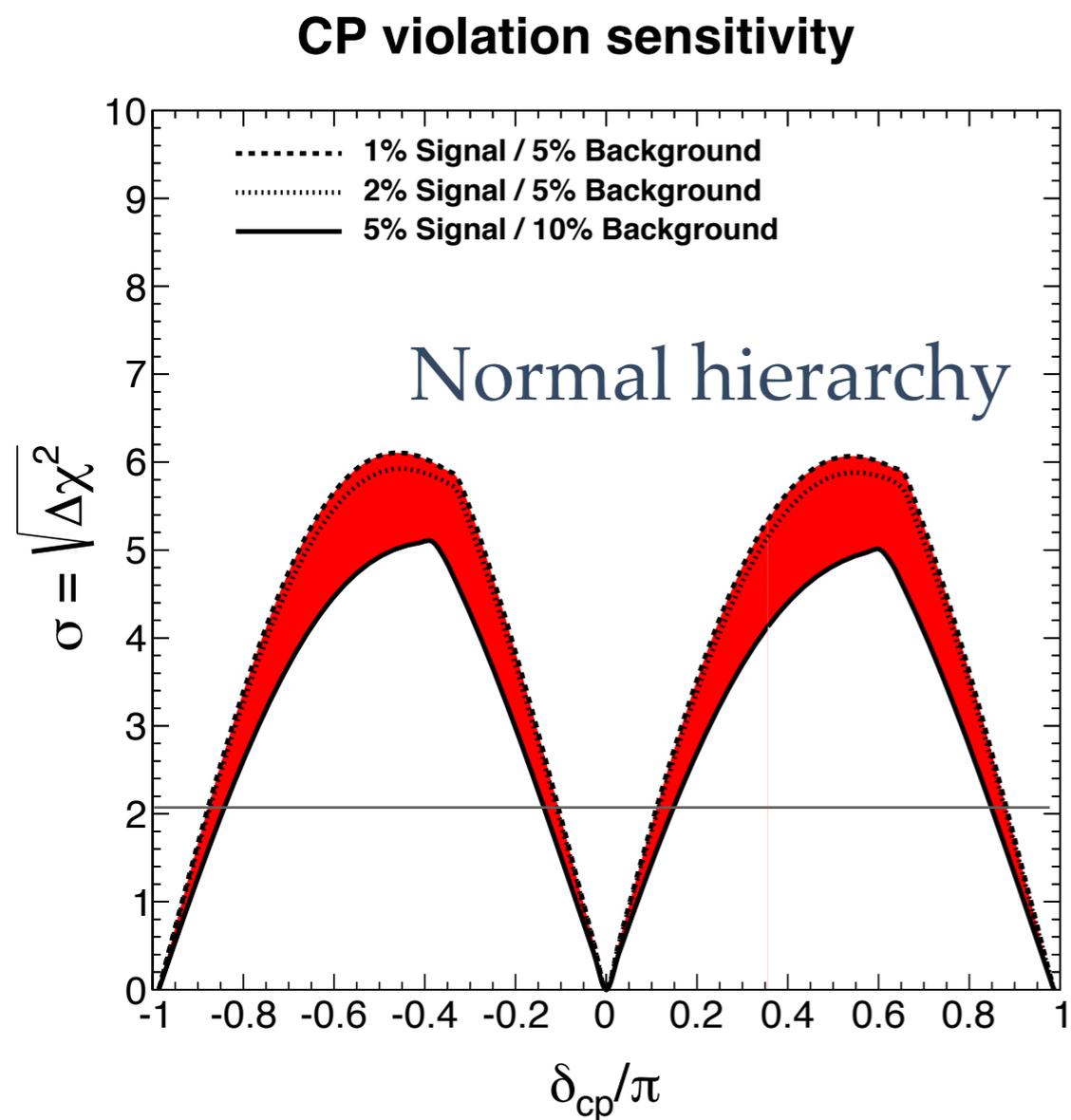
May 2014

Recommendation 12: In collaboration with international partners, develop a coherent short- and long-baseline neutrino program hosted at Fermilab.

For a long-baseline oscillation experiment, based on the science Drivers and what is practically achievable in a major step forward, we set as the goal a mean sensitivity to CP violation² of better than 3σ (corresponding to 99.8% confidence level for a detected signal) over more than 75% of the range of possible values of the unknown CP-violating phase δ_{CP} . By current estimates, this goal corresponds to an exposure of 600 kt*MW*yr assuming systematic uncertainties of 1% and 5% for the signal and background, respectively. With a wideband neutrino beam produced by a proton beam with power of 1.2 MW, this exposure implies a far detector with fiducial mass of more than 40 kilotons (kt) of liquid argon (LAr) and a suitable near detector. **The minimum requirements to proceed are the identified capability to reach an exposure of at least 120 kt*MW*yr by the**

Optimization Procedure

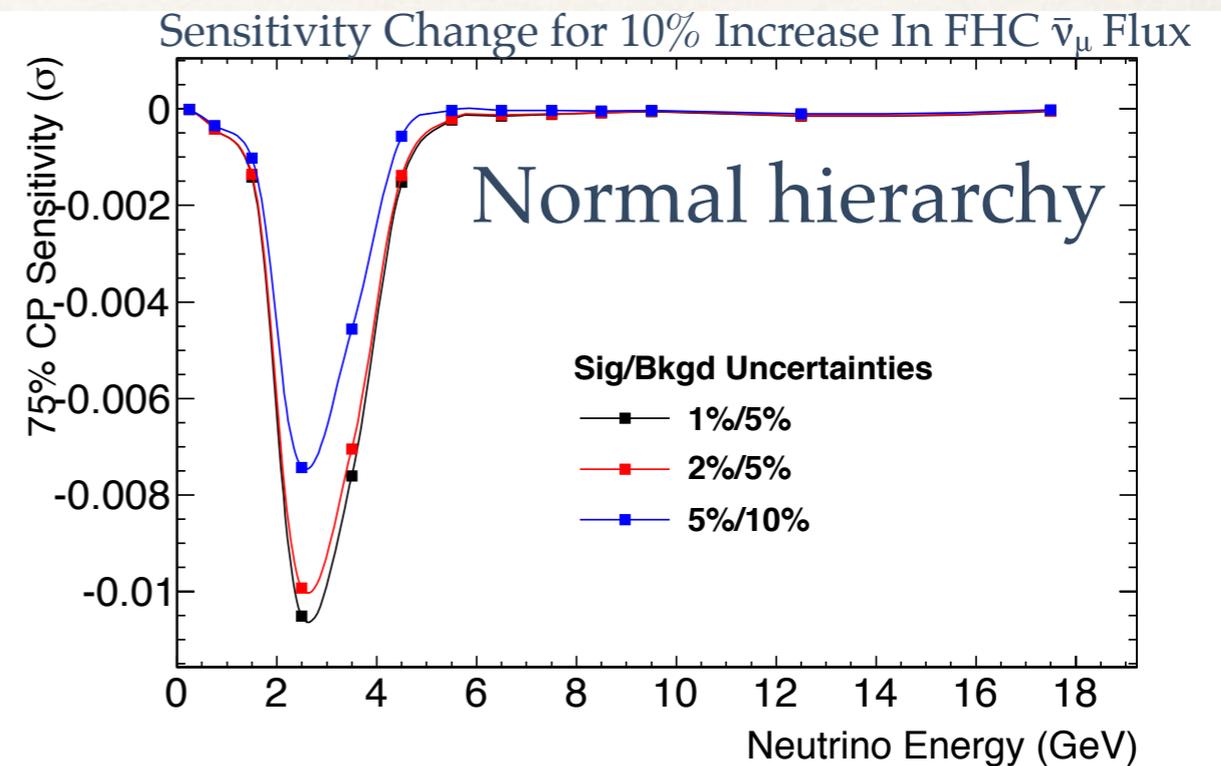
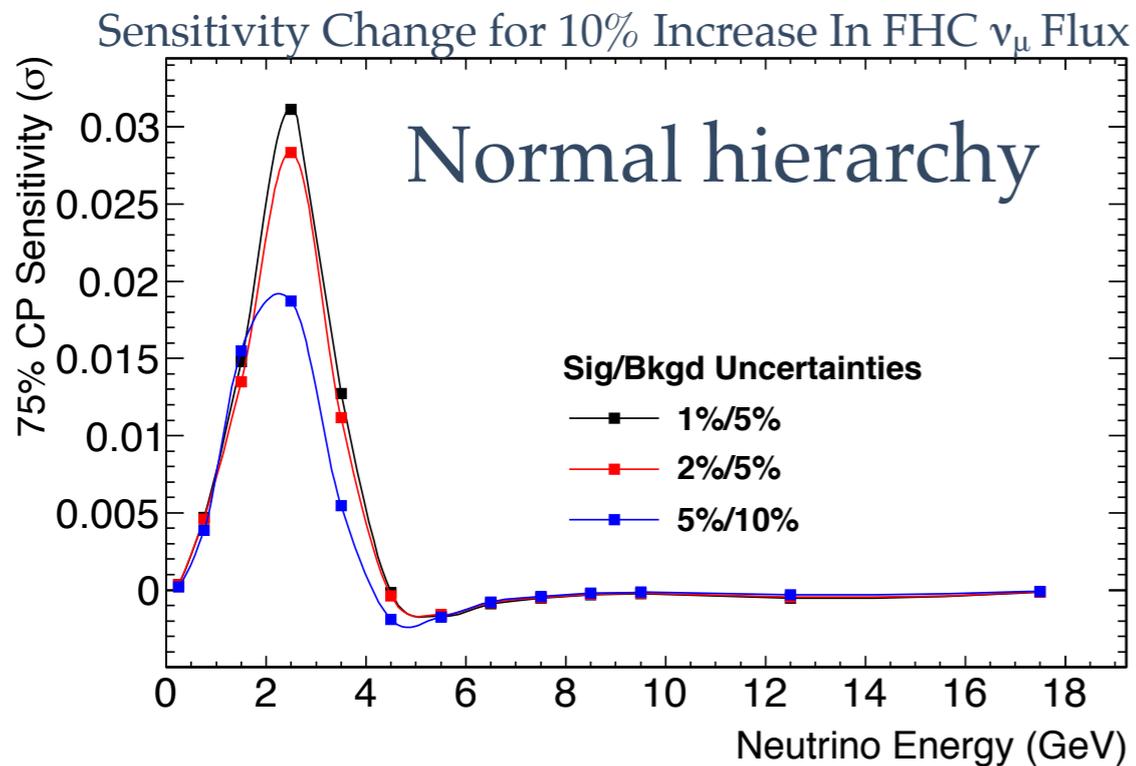
- ✦ According to the fast MC the sensitivity for 75% of the range of possible values of δ_{CP} is about 2.1 / 1.9 for NH/IH:



This is with the current 1.2 MW beam configuration

Optimization Procedure

- ❖ How the 75% CP Sensitivity changes with changes to individual flux energy bins:



- ❖ This shows that, for 10% changes in neutrino-mode fluxes, the most important bins by far are between 2 and 4 GeV. Increasing ν_μ signal increases CP sensitivity, and increasing $\bar{\nu}_\mu$ wrong-sign contamination decreases sensitivity
- ❖ The Conventional wisdom that we need to minimize the high energy tail is not supported here — the size of the high energy tail has very little effect on CP sensitivity (and neither does ν_e contamination — not shown)

Optimization Procedure

- ❖ From this information about changes in CP sensitivities for changes in individual fluxes/energy bins, I construct a metric that approximates the CP sensitivity for any beam configuration:

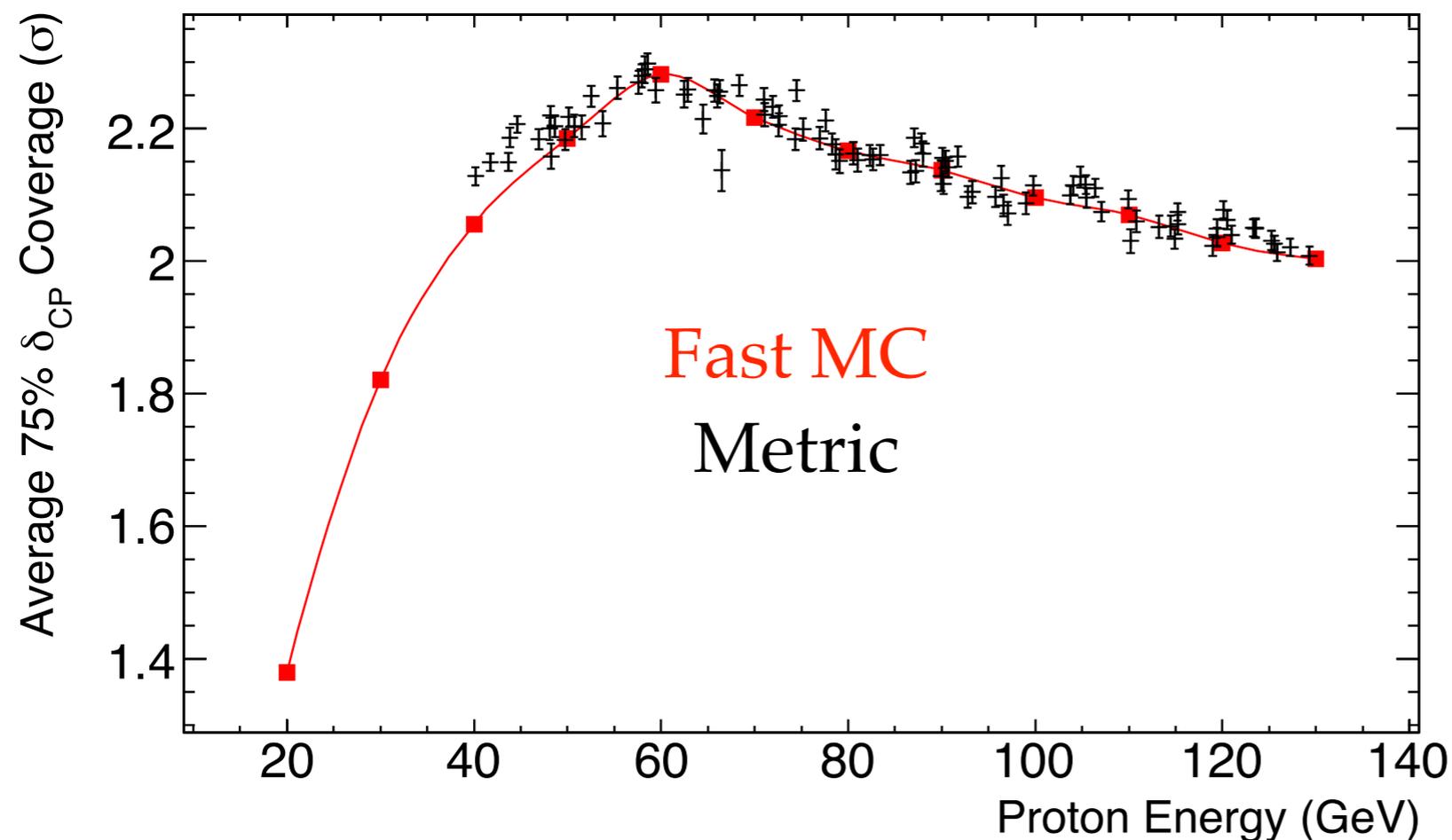
$$S = S_{\text{nominal}} + \sum_{\substack{j \\ \text{flavors}}} \sum_{\substack{j \\ \text{E bins}}} (\Delta S(\Delta \Phi))$$

↑
A function that interpolates between the fast MC runs to estimate the change in sensitivity given some change in flux in one energy bin for one neutrino flavor

- ❖ I used the FMC sensitivities that assume 2% signal / 5% background systematic uncertainties, and average the NH and IH sensitivities

Optimization Procedure

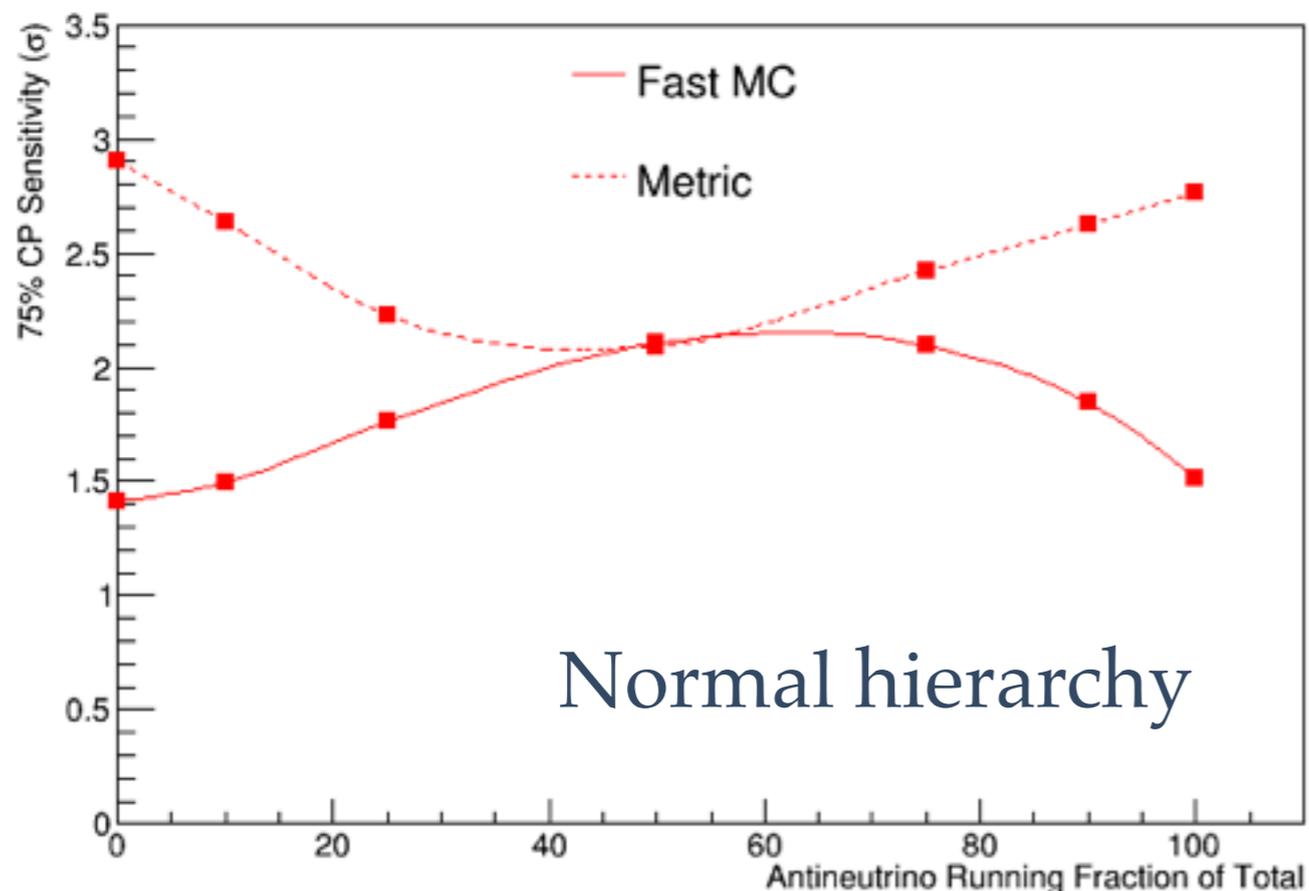
- ❖ How well does this metric approximate the “real” sensitivities — i.e. those from the Fast MC?
- ❖ It does well at predicting the change in sensitivity as we change the primary proton energy (and assuming PIP II power estimates at different energies):



Red points take ~ a week; black points take ~ an hour

Optimization Procedure

- ❖ But it doesn't do as well when many different fluxes and energy bins are changing simultaneously, like when we change the antineutrino running fraction
- ❖ Performance of the metric has recently been improved, but for results reported in this talk do not optimize antineutrino running fraction



This illustrates that the metric is just an approximation of sensitivity (and a poor one in some cases); it will be important to cross check results of optimization with the Fast MC

Optimization Procedure

- ❖ Now we have something to optimize.
- ❖ I followed LBNO's example of using a genetic algorithm
- ❖ Overview of a genetic algorithm
 - ❖ Define a set of parameters you want to optimize (with boundaries)
 - ❖ Begin by generating a small sample (~100 configurations) of randomly chosen configurations — the first “generation”
 - ❖ Choose the configurations with the best “fitness” (in our case, the CP sensitivity metric) and “mate” them together to form a new generation
 - ❖ Continue until you no longer find configurations with improved fitness over previous generations

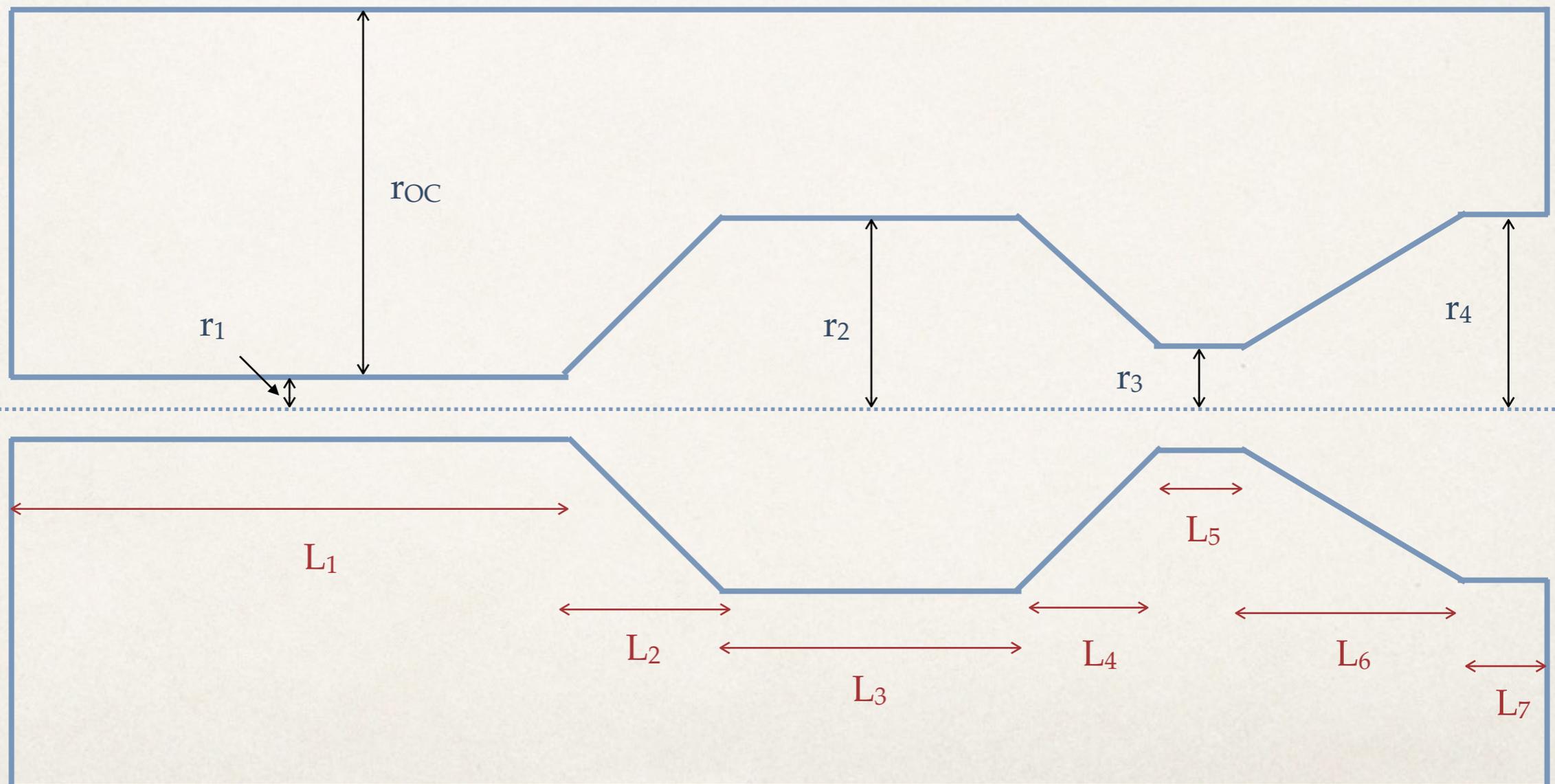
Optimization Procedure

❖ Parameters varied in the optimization:

| Parameter | Lower Limit | Upper Limit | Unit |
|------------------------------|-------------|-------------|---------------|
| Horn 1 Shape: r1 | 20 | 50 | mm |
| Horn 1 Shape: r2 | 35 | 200 | mm |
| Horn 1 Shape: r3 | 20 | 75 | mm |
| Horn 1 Shape: r4 | 20 | 100 | mm |
| Horn 1 Shape: rOC | 200 | 800 | mm |
| Horn 1 Shape: l1 | 800 | 2500 | mm |
| Horn 1 Shape: l2 | 50 | 1000 | mm |
| Horn 1 Shape: l3 | 50 | 1000 | mm |
| Horn 1 Shape: l4 | 50 | 1000 | mm |
| Horn 1 Shape: l5 | 50 | 1000 | mm |
| Horn 1 Shape: l6 | 50 | 1000 | mm |
| Horn 1 Shape: l7 | 50 | 1000 | mm |
| Horn 2 Longitudinal Scale | 0.5 | 2 | NA |
| Horn 2 Radial Scale | 0.5 | 2 | NA |
| Horn 2 Longitudinal Position | 3.0 | 15.0 | m from MCZERO |
| Target Length | 0.5 | 2.0 | m |
| Target Fin Width | 5 | 15 | mm |
| Proton Energy | 40 | 130 | GeV |
| Horn Current | 150 | 300 | kA |

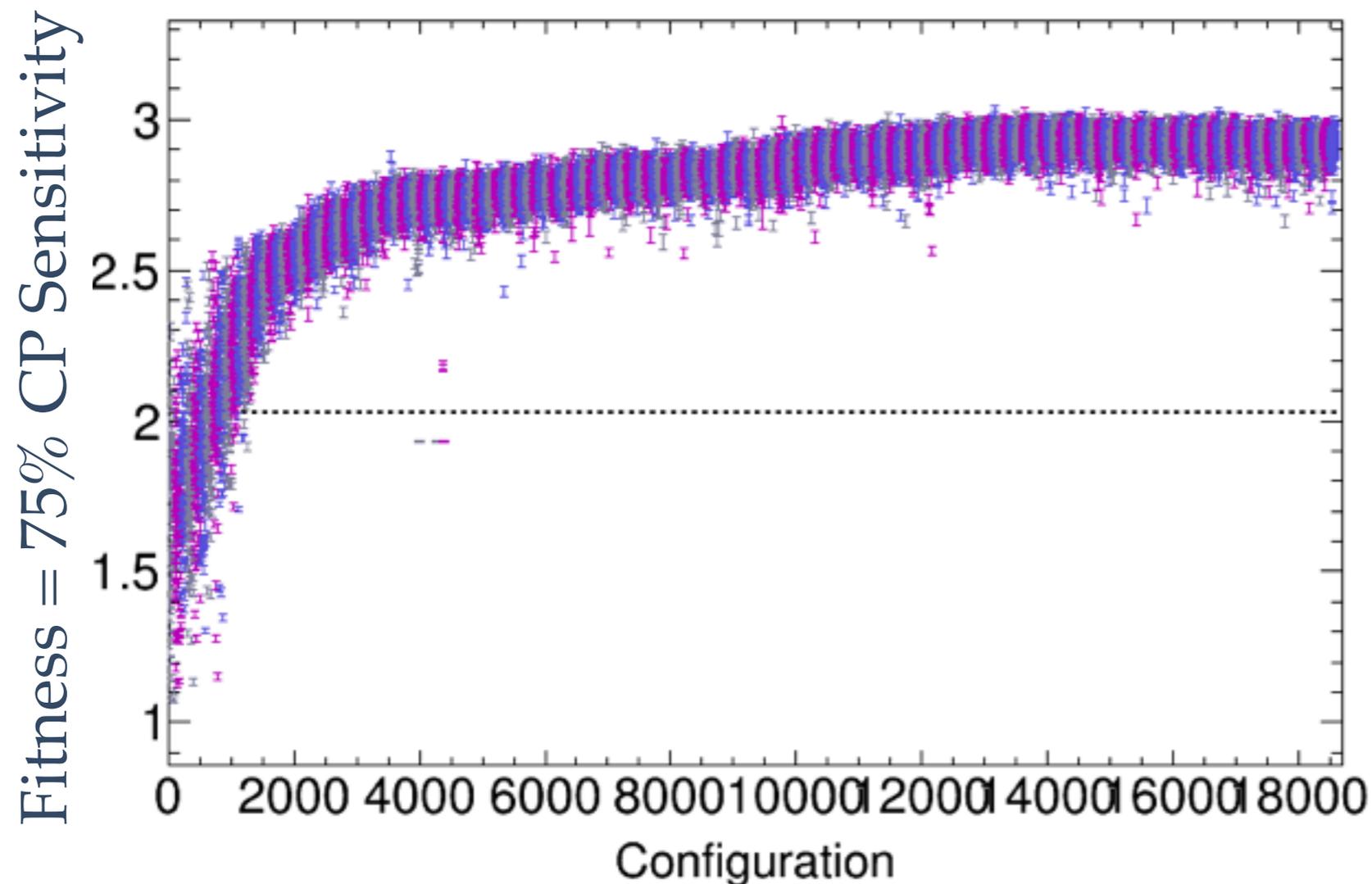
Optimization Procedure

- ❖ Horn 1 shape parameters
 - ❖ Inspired by LBNO optimization
 - ❖ Not constrained to have this shape — basically just a 7 segment horn with floating length and radii



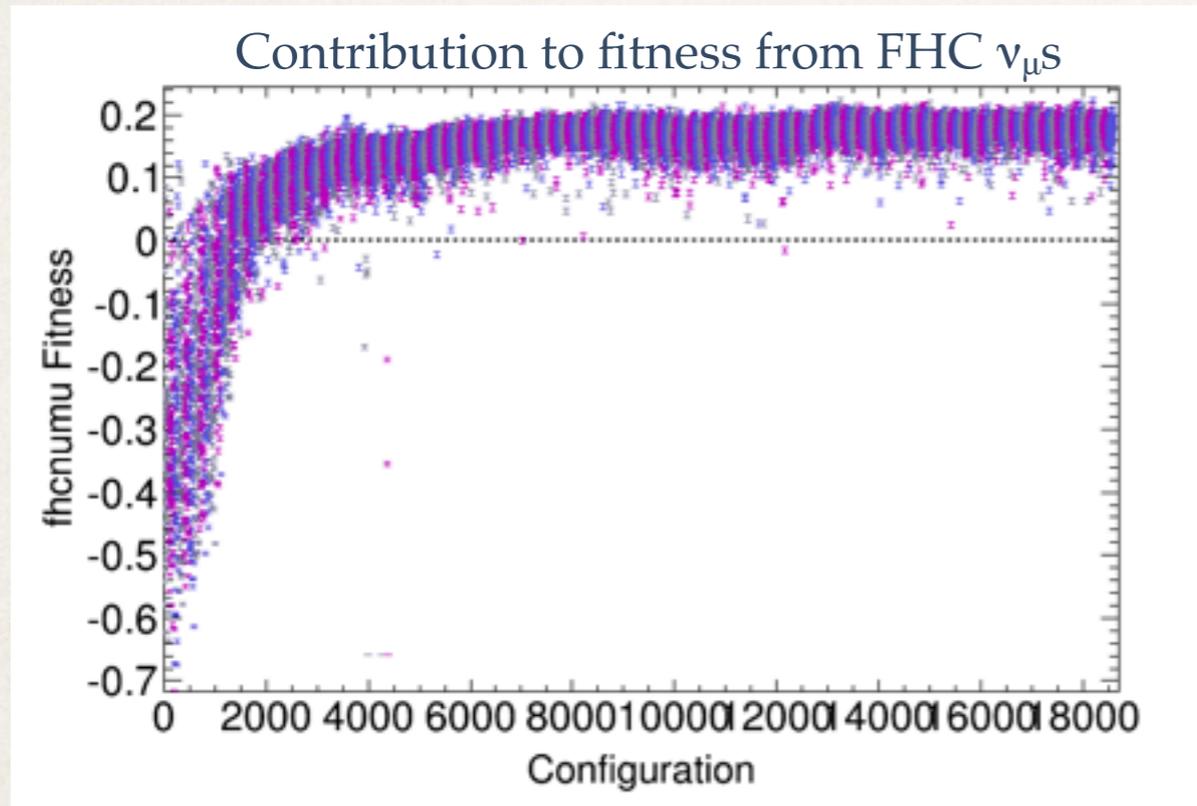
Results: Fitness Evolution

- ❖ I ran approximately 18,000 beam configurations. The genetic algorithm converges by around 13000 configurations



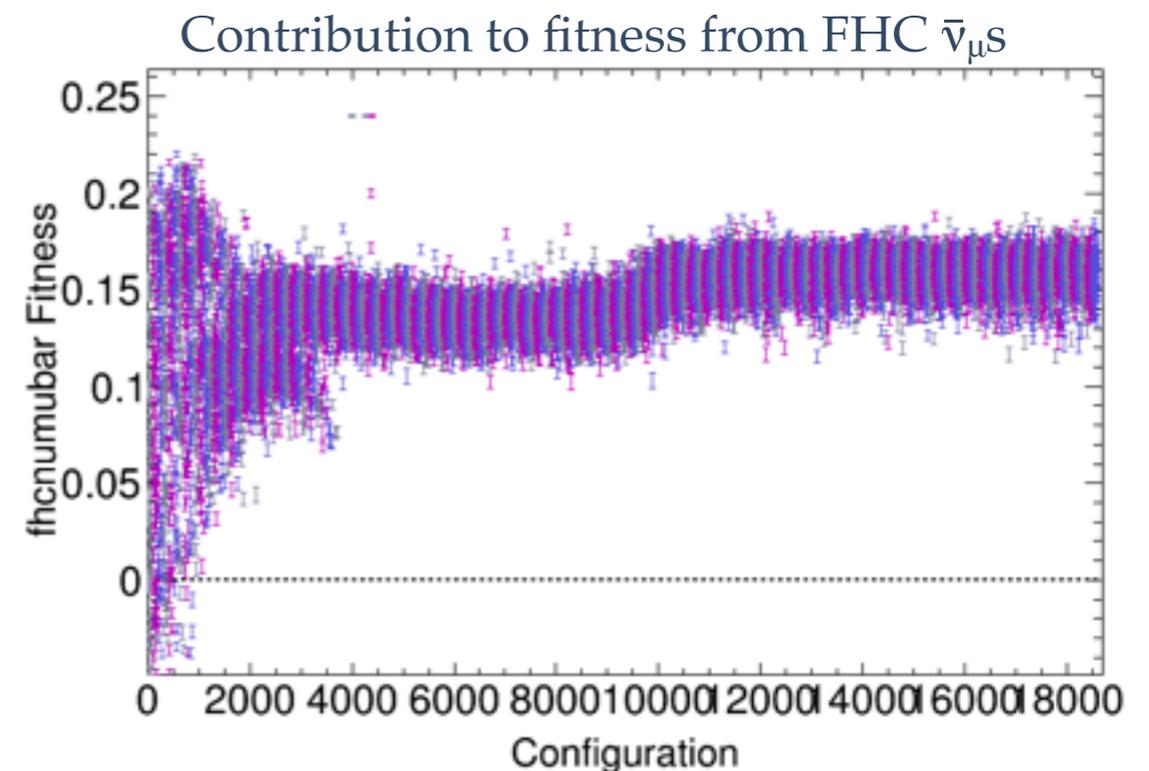
Here the colors separate the ~150 “generations of the genetic algorithm”

Results: Fitness Evolution

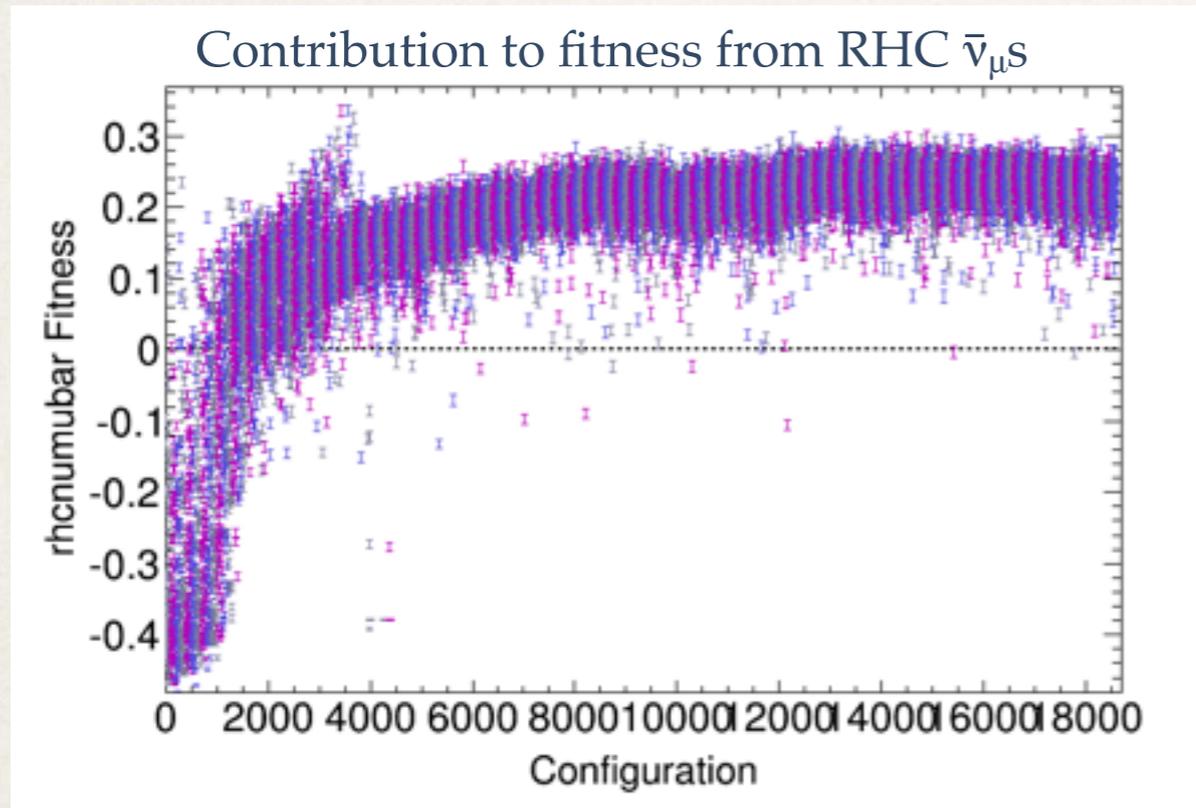


These plots show the change in fitness from the nominal configuration due to changes to the FHC ν_{μ} and $\bar{\nu}_{\mu}$ fluxes

Interestingly, increasing signal (ν_{μ}) and decreasing background ($\bar{\nu}_{\mu}$) have roughly equal contributions to the fitness

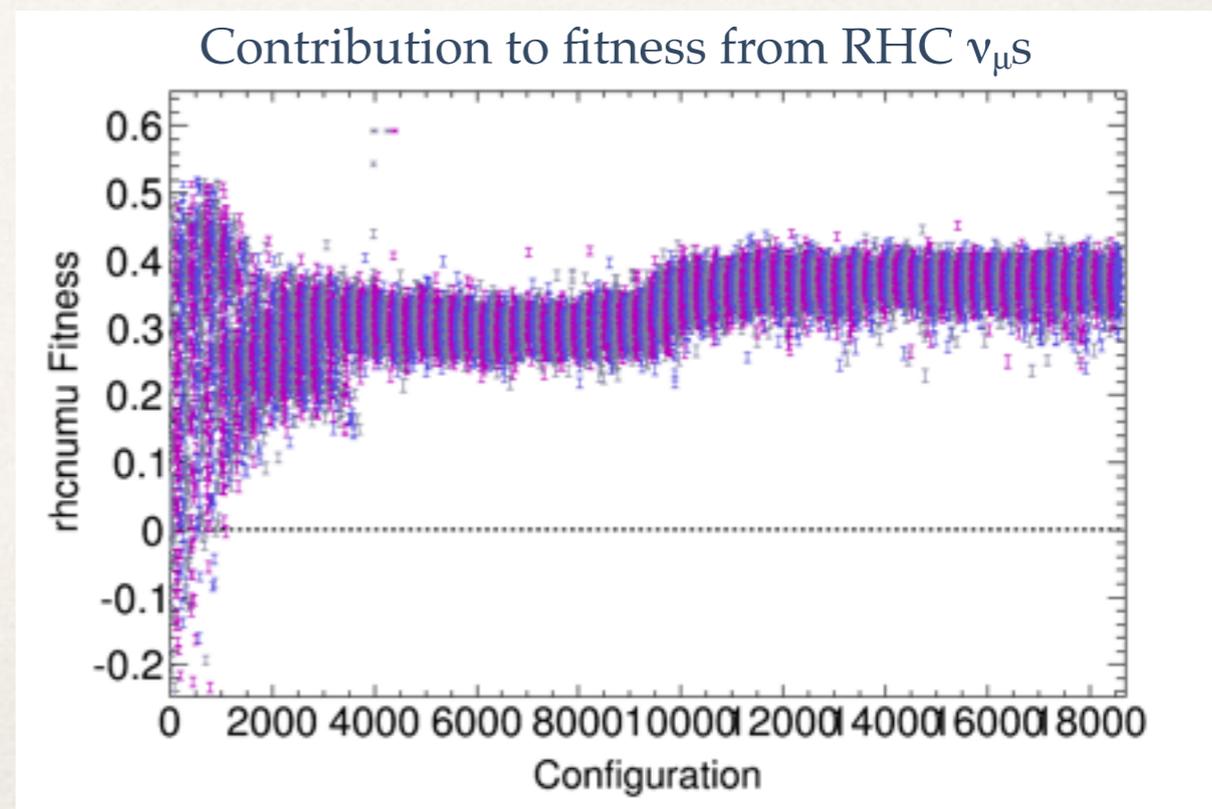


Results: Fitness Evolution

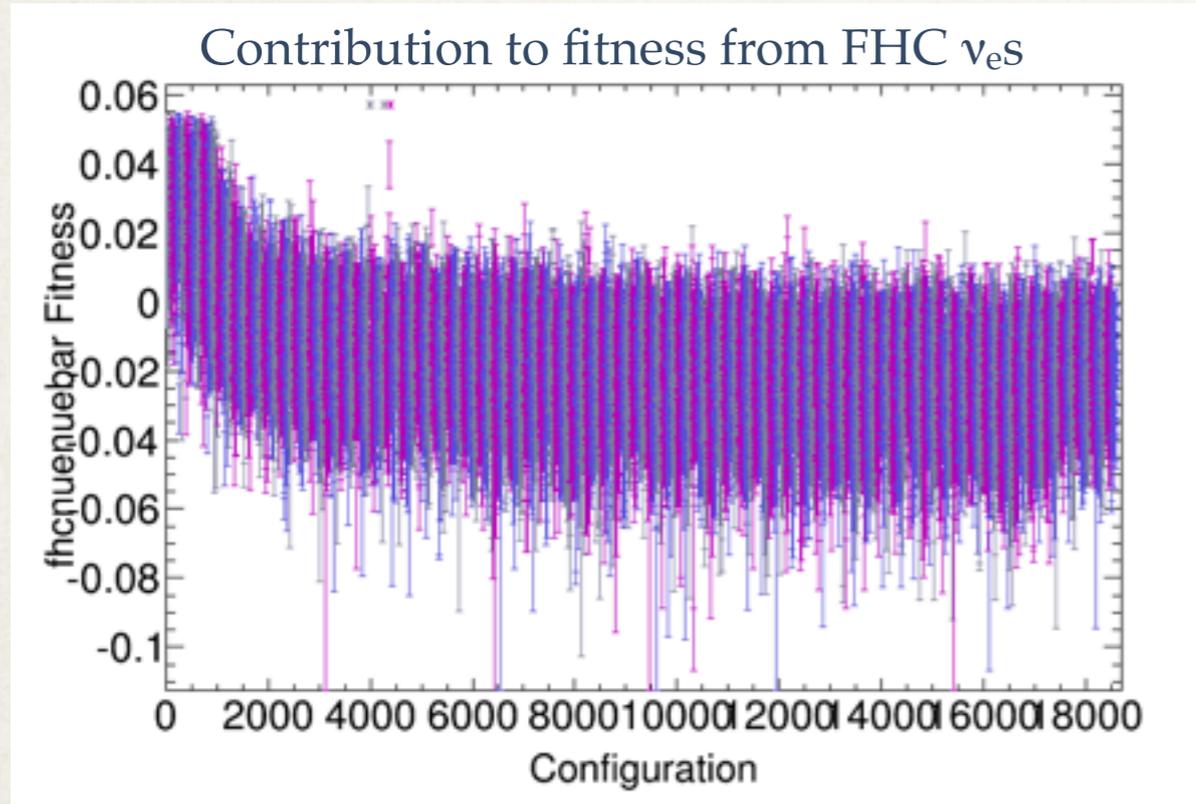


These plots show the change in fitness from the nominal configuration due to changes to the RHC $\bar{\nu}_\mu$ and ν_μ fluxes

Here the contribution to fitness is larger than in neutrino mode (previous slide), particularly the effect of reducing wrong sign background

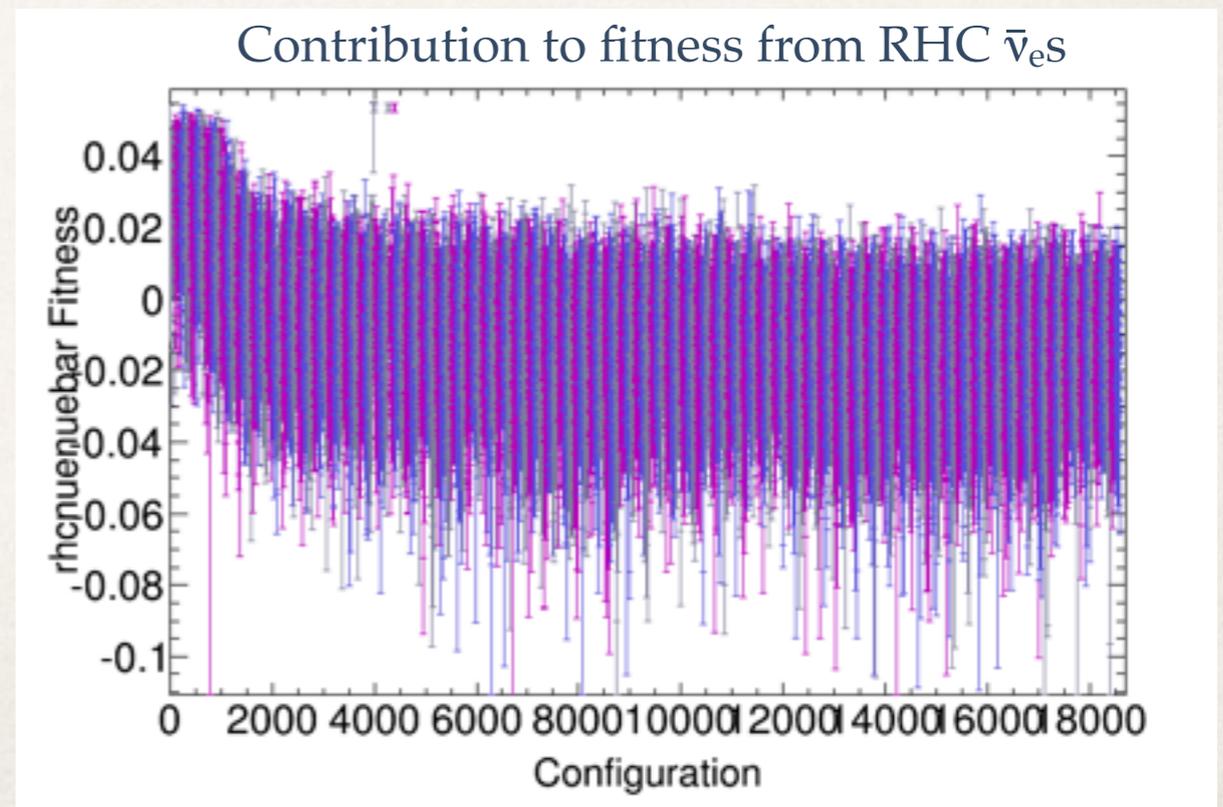


Results: Fitness Evolution



These plots show the change in fitness from the nominal configuration due to changes to FHC ν_e and RHC $\bar{\nu}_e$ fluxes

The intrinsic electron neutrino contamination of the beam changes the fitness very little and is not driving the optimization



Results: Best Configuration

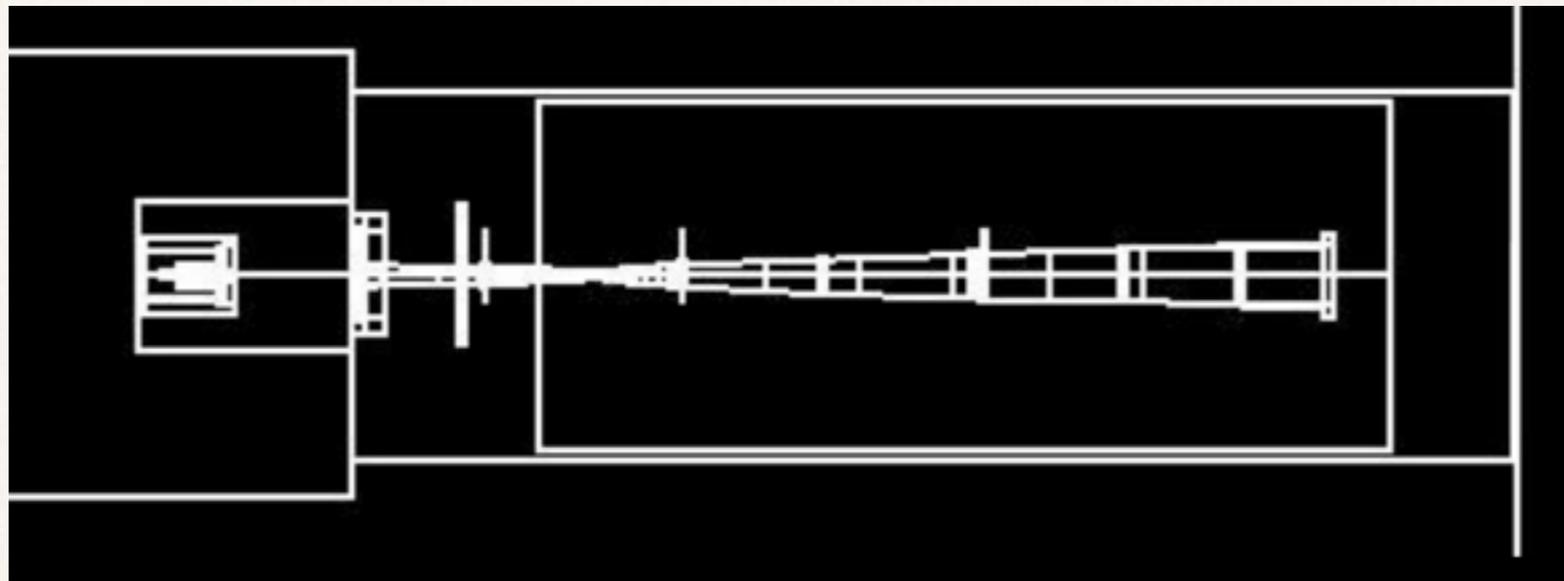
❖ Parameters of best configuration

| Parameter | Nominal Value | Optimized Value | Unit |
|------------------------------|---------------|-----------------|---------------|
| Horn 1 Shape: r1 | - | 26 | mm |
| Horn 1 Shape: r2 | - | 156 | mm |
| Horn 1 Shape: r3 | - | 21 | mm |
| Horn 1 Shape: r4 | - | 92 | mm |
| Horn 1 Shape: rOC | 165 | 596 | mm |
| Horn 1 Shape: l1 | - | 1528 | mm |
| Horn 1 Shape: l2 | - | 789 | mm |
| Horn 1 Shape: l3 | - | 941 | mm |
| Horn 1 Shape: l4 | - | 589 | mm |
| Horn 1 Shape: l5 | - | 155 | mm |
| Horn 1 Shape: l6 | - | 58 | mm |
| Horn 1 Shape: l7 | - | 635 | mm |
| Horn 2 Longitudinal Scale | 1 | 1.28 | NA |
| Horn 2 Radial Scale | 1 | 1.67 | NA |
| Horn 2 Longitudinal Position | 6.6 | 12.5 | m from MCZERO |
| Target Length | 0.95 | 1.9 | m |
| Target Fin Width | 10 | 11.6 | mm |
| Proton Energy | 120 | 65 | GeV |
| Horn Current | 200 | 298 | kA |

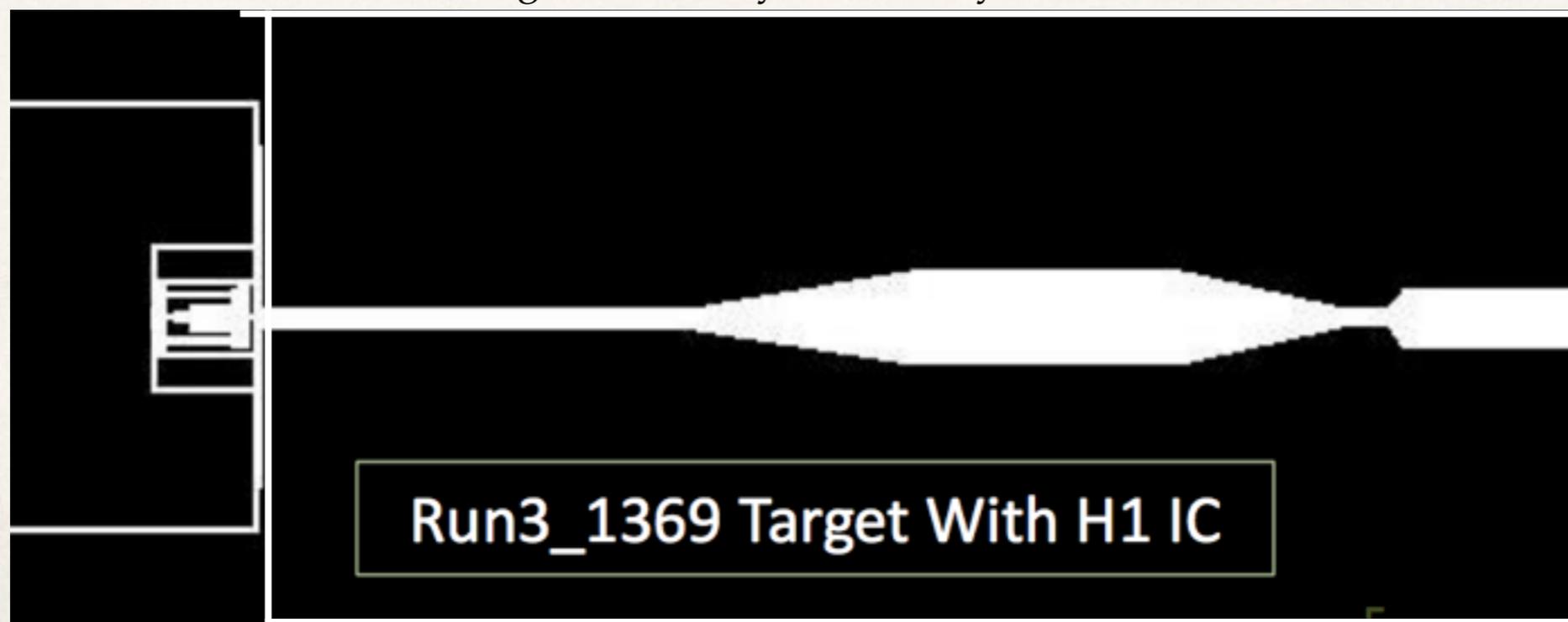
- ❖ Total Horn 1 length in nominal design is 3.36 m vs 4.70 m is optimized configuration
- ❖ Horn 2 length / outer radius are 3.63 m / 0.395 m in nominal configuration vs 4.65 / 0.66 m in optimized configuration

Results: Best Configuration

- ❖ Visualizations of horn 1 inner conductors:

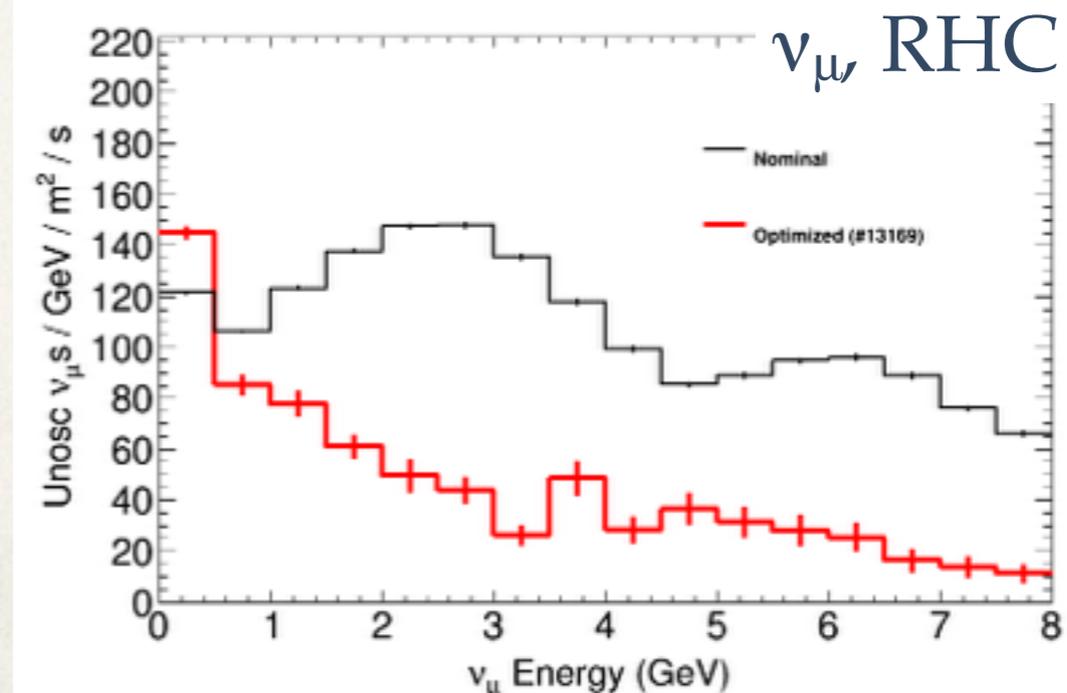
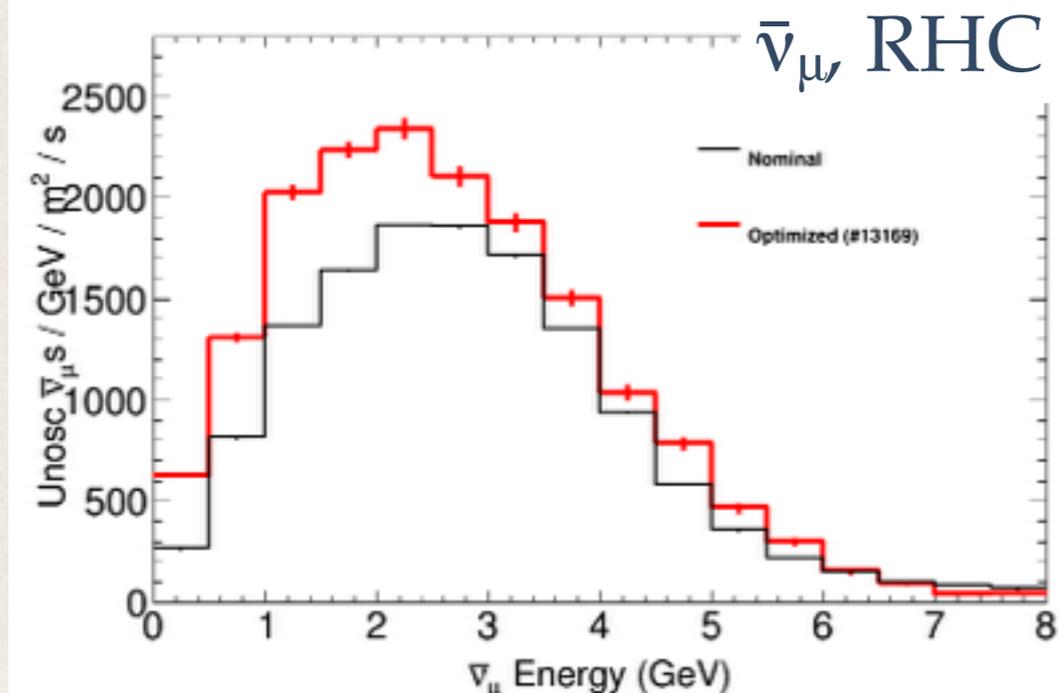
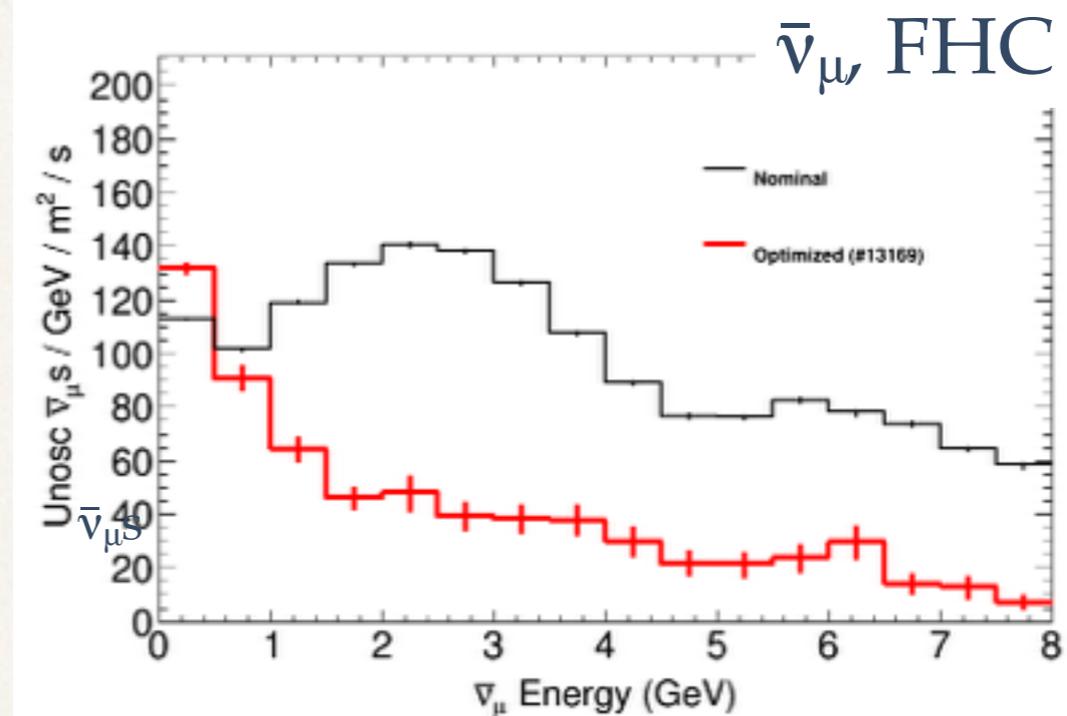
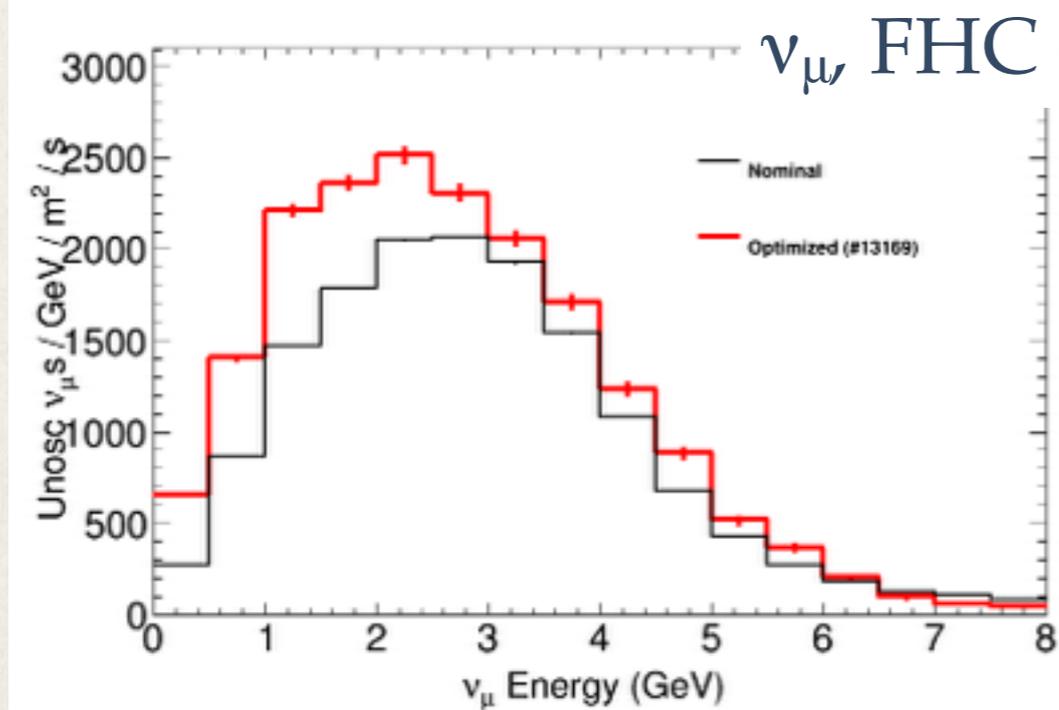


Figures courtesy Amit Bashyal



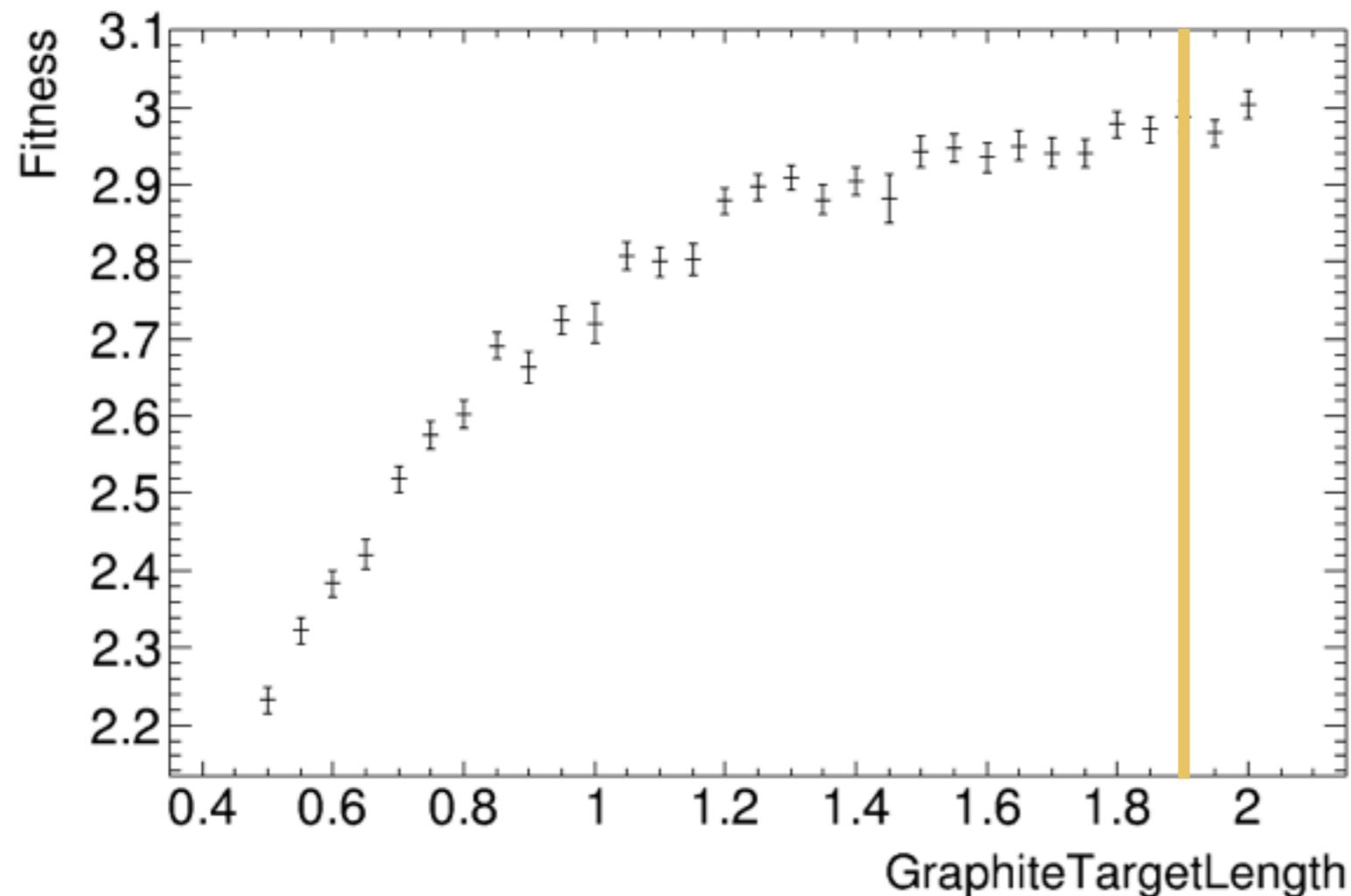
Results: Best Configuration

- ❖ Flux of best configuration, compared with nominal:



Results: Parameter Scan

- ❖ To understand the relative importance of the various changes, I also did a parameter scan around the optimized configuration

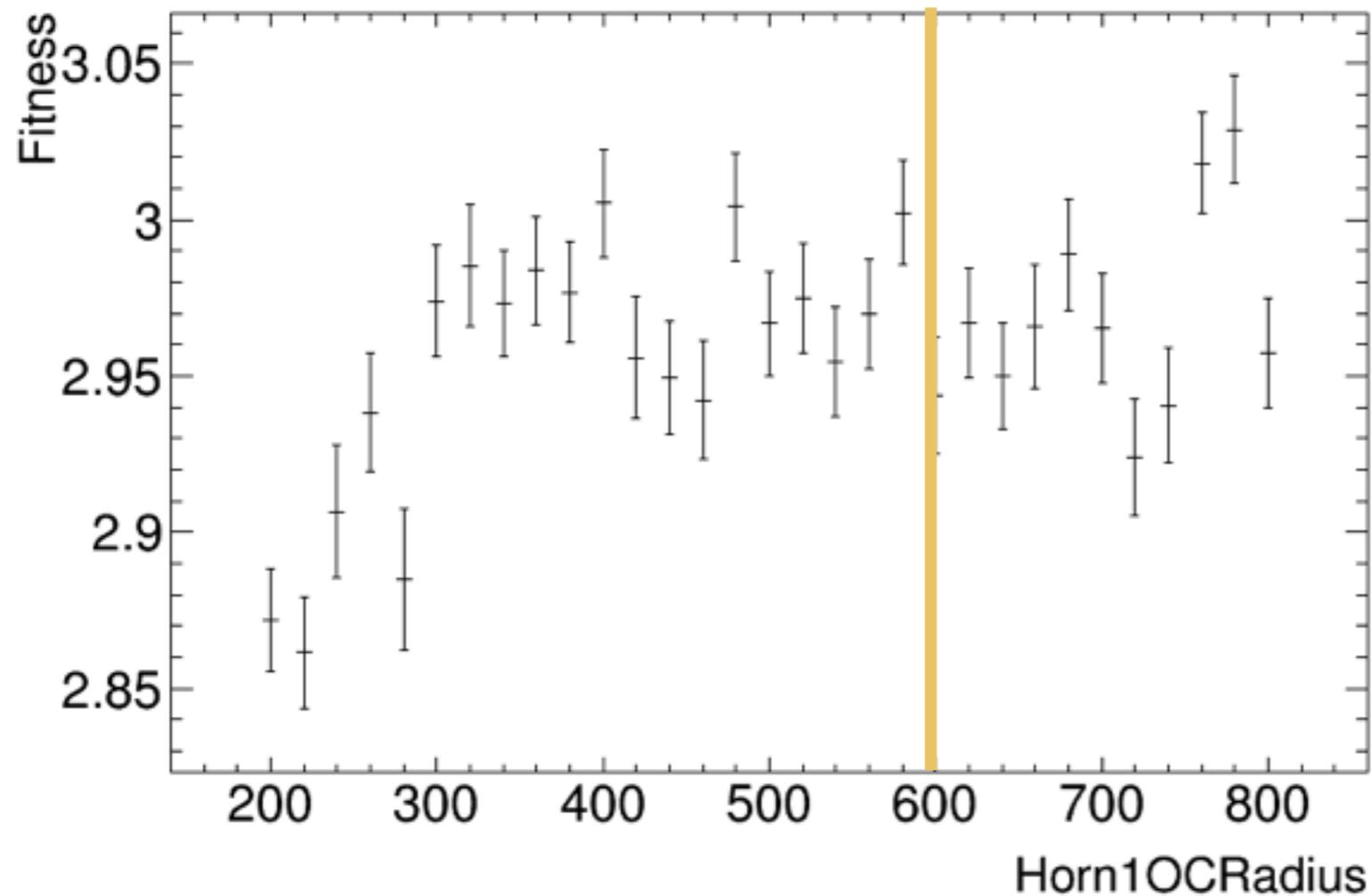


This shows how the fitness varies with target length with all other optimized parameters fixed

Yellow line shows value chosen by optimization

Results: Parameter Scan

- ❖ To understand the relative importance of the various changes, I also did a parameter scan around the optimized configuration



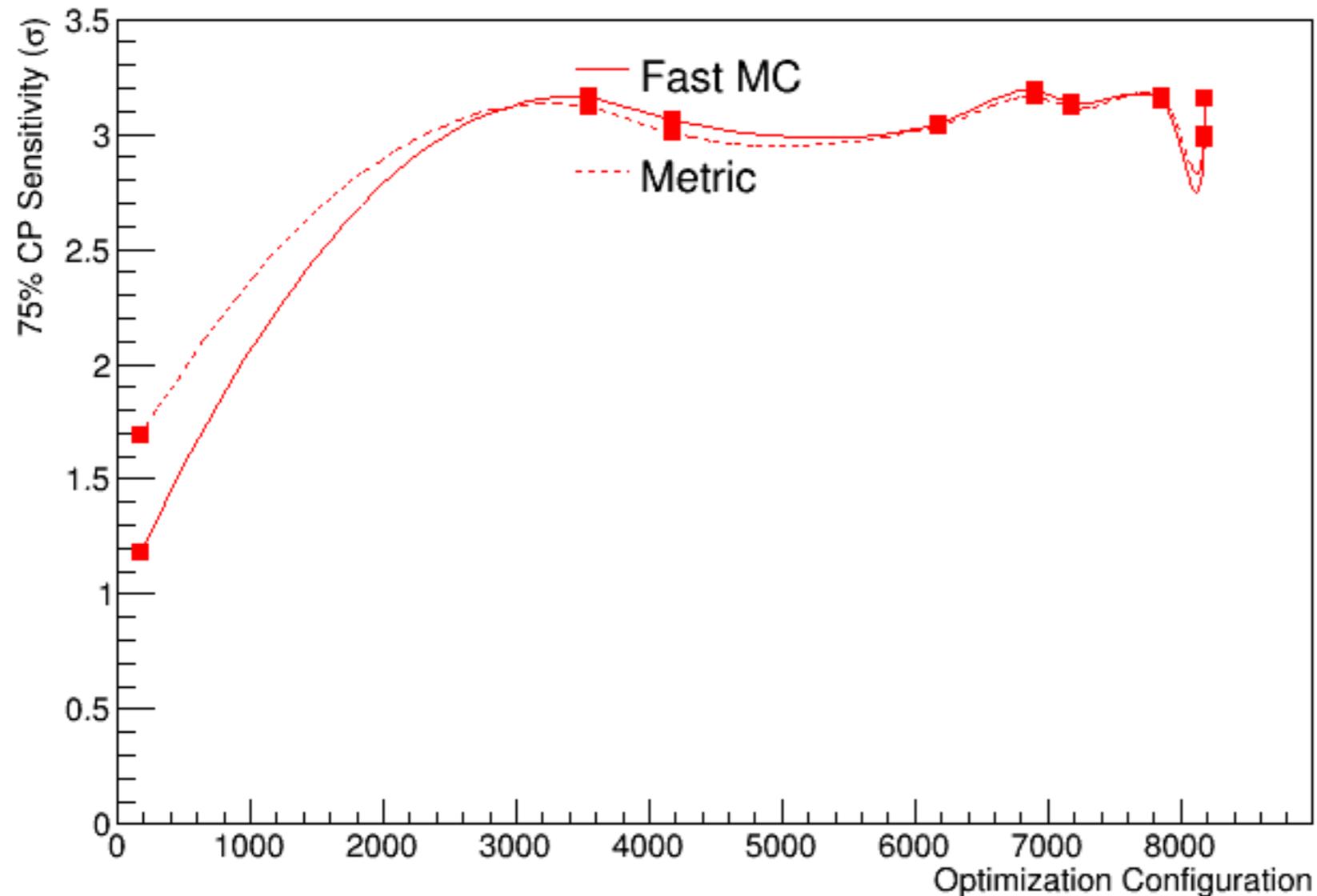
This shows how the fitness varies with horn1 outer conductor radius with all other optimized parameters fixed

Yellow line shows value chosen by optimization

More scan results in backup slides

Results: Fast Monte Carlo

- ❖ I also chose a few of the best and a few randomly chosen configurations through the Fast MC to see how well the fitness reproduces the 'actual' CP sensitivity:

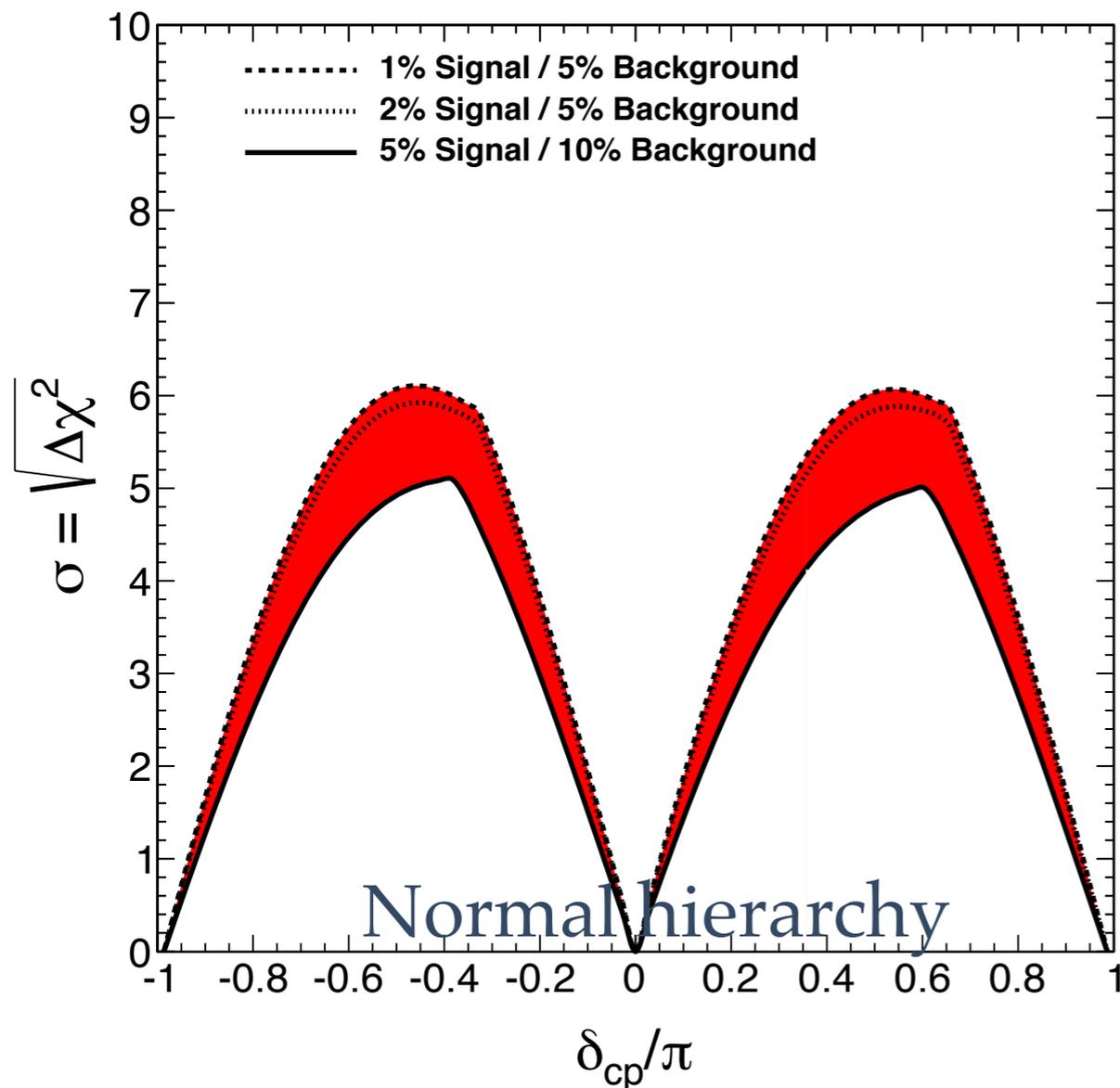


Sensitivities from FMC track the fitness metric quite nicely!

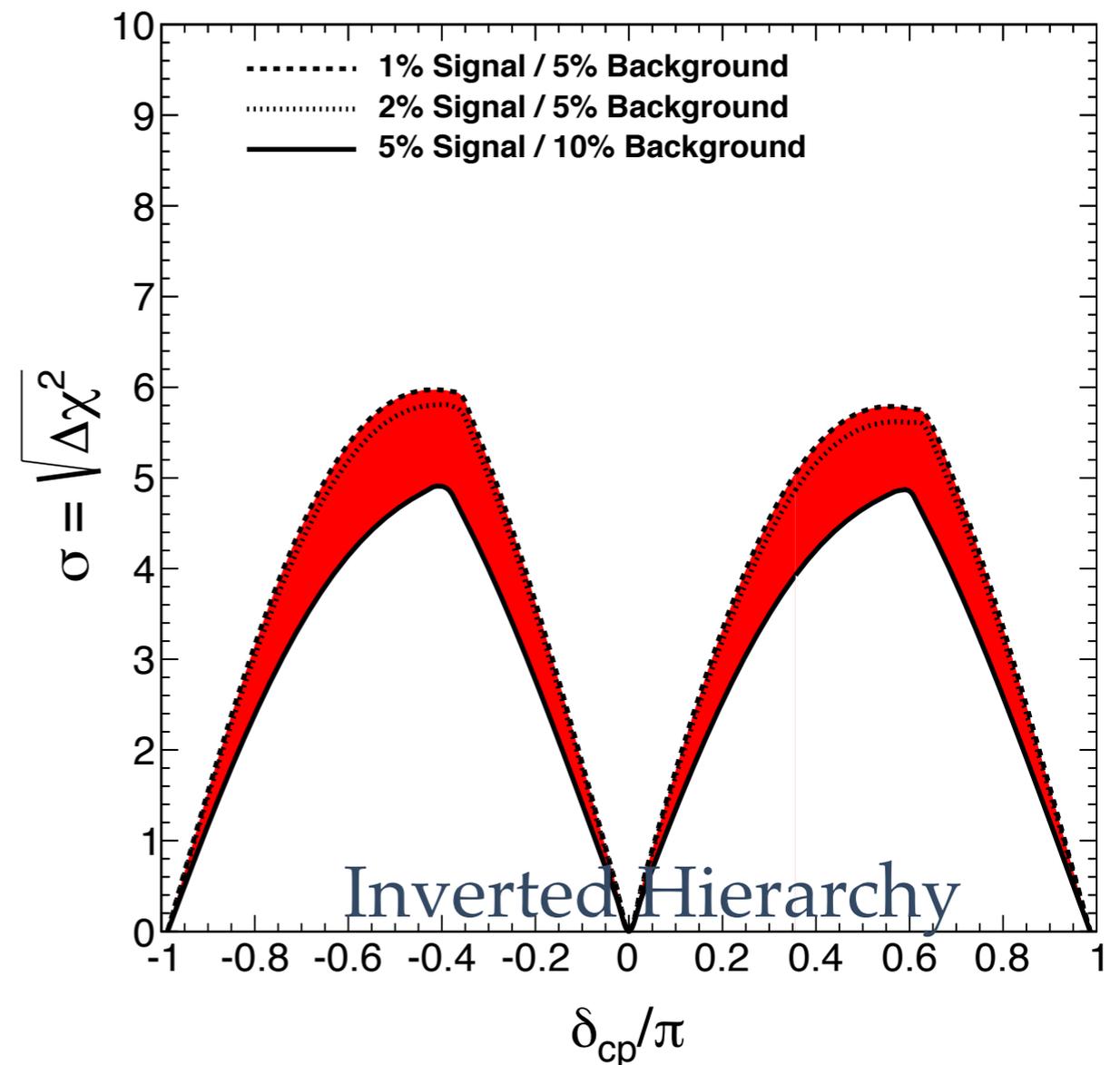
Results: Fast Monte Carlo

- ✿ FMC Sensitivities in Nominal Configuration:

CP violation sensitivity



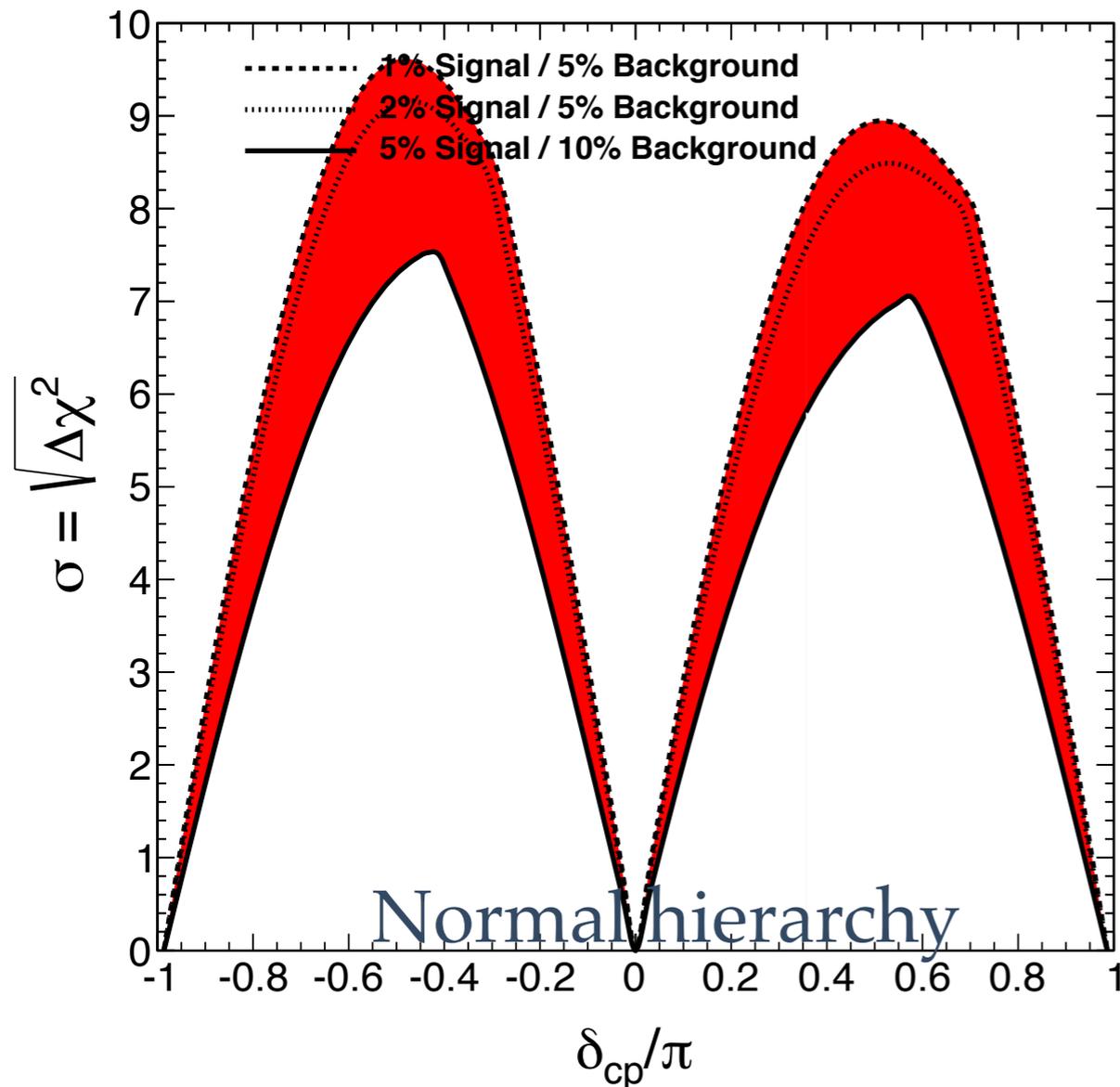
CP violation sensitivity



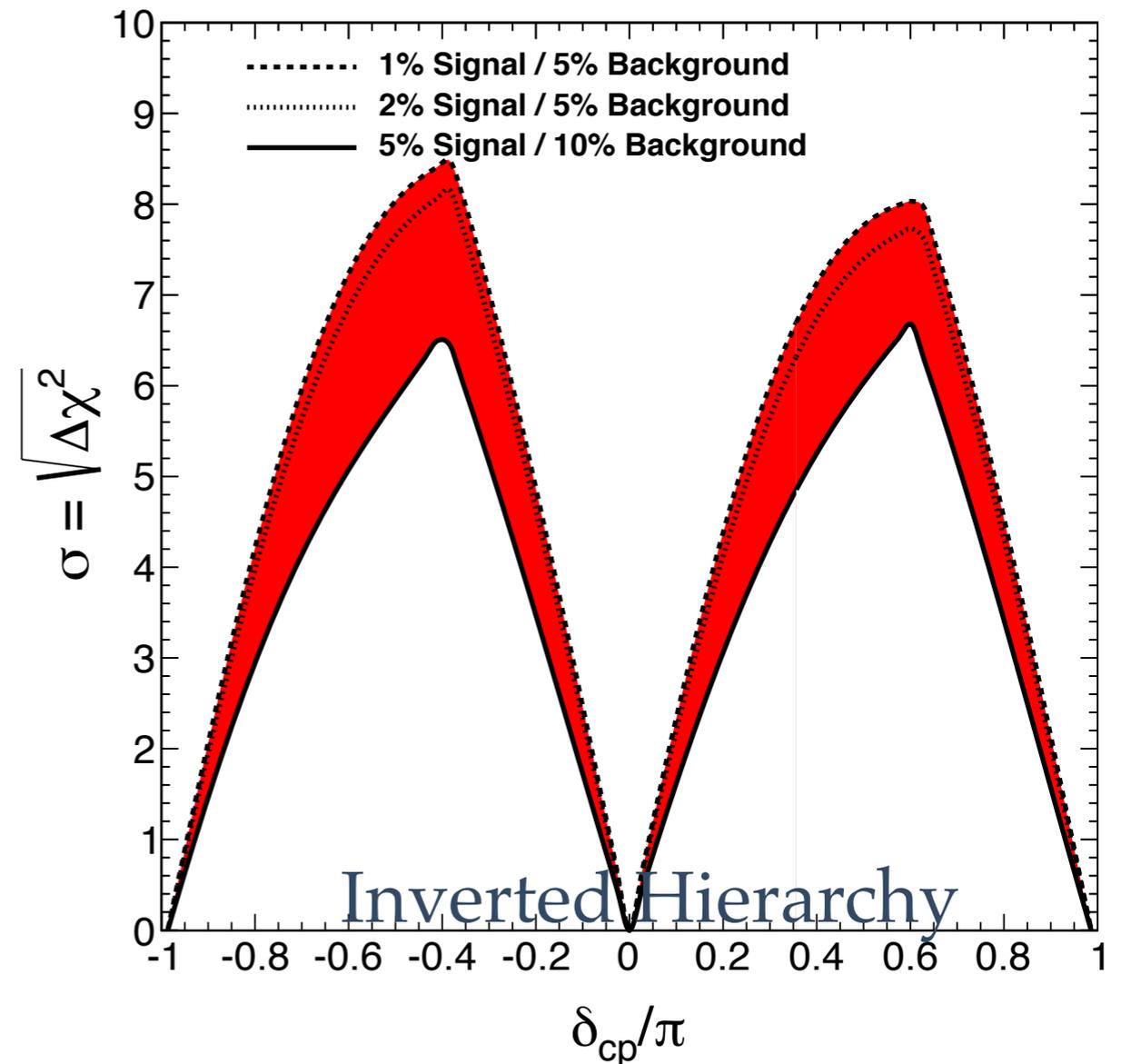
Results: Fast Monte Carlo

- ❖ FMC Sensitivities in an Optimized Configuration:

CP violation sensitivity

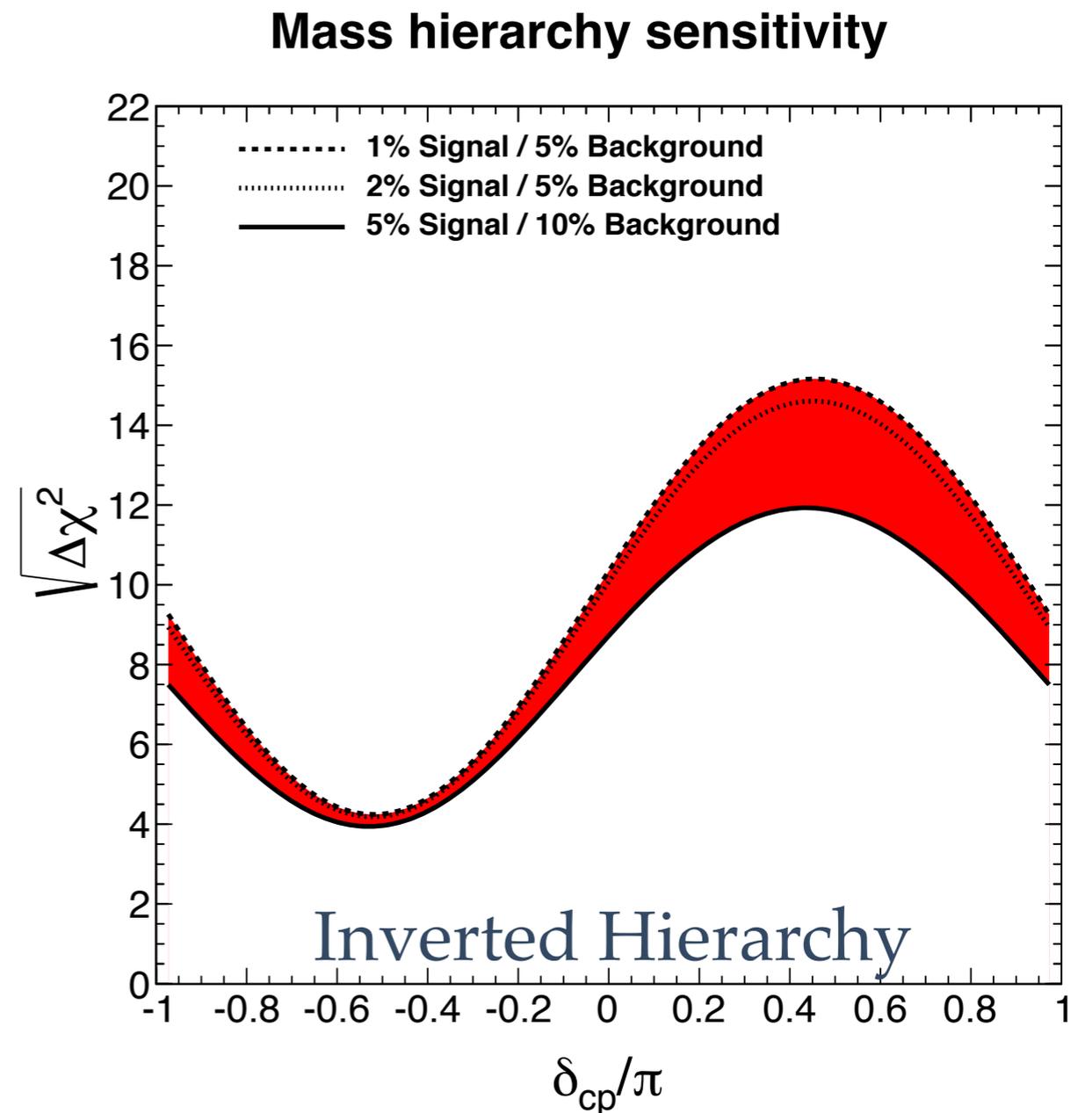
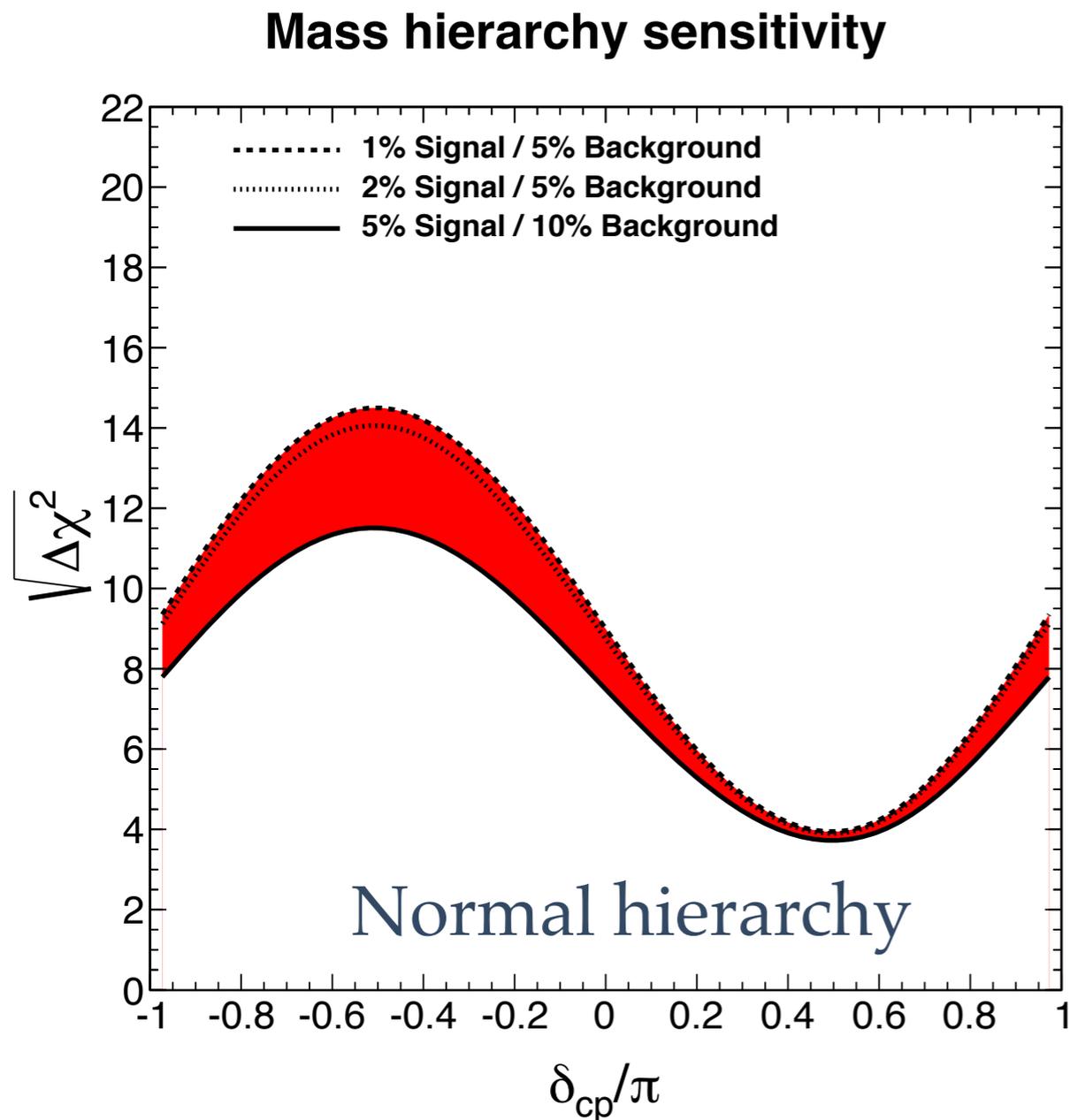


CP violation sensitivity



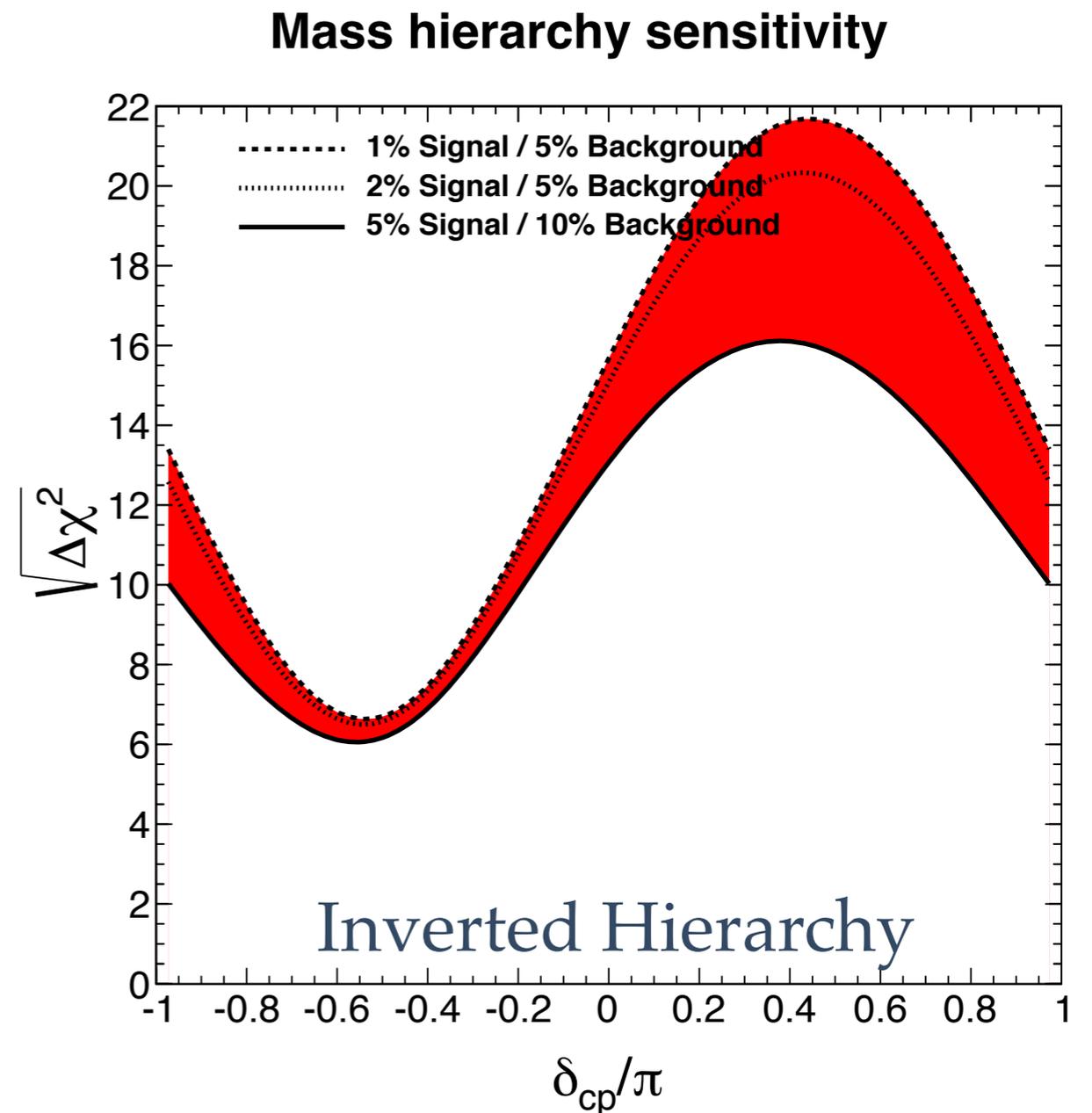
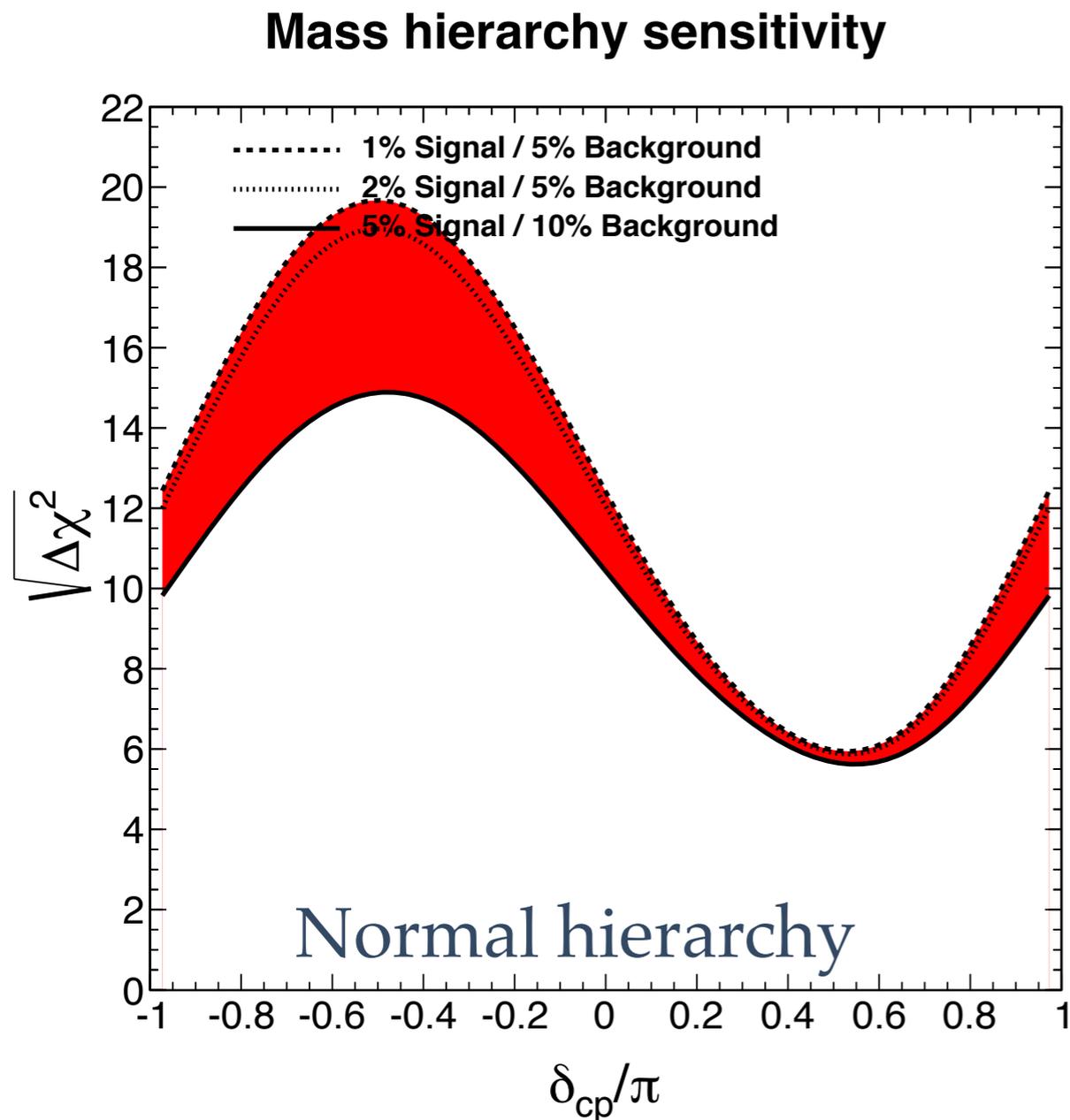
Results: Fast Monte Carlo

- ❖ FMC Sensitivities in Nominal Configuration:



Results: Fast Monte Carlo

- ❖ FMC Sensitivities in Optimized Configuration:



Next Steps

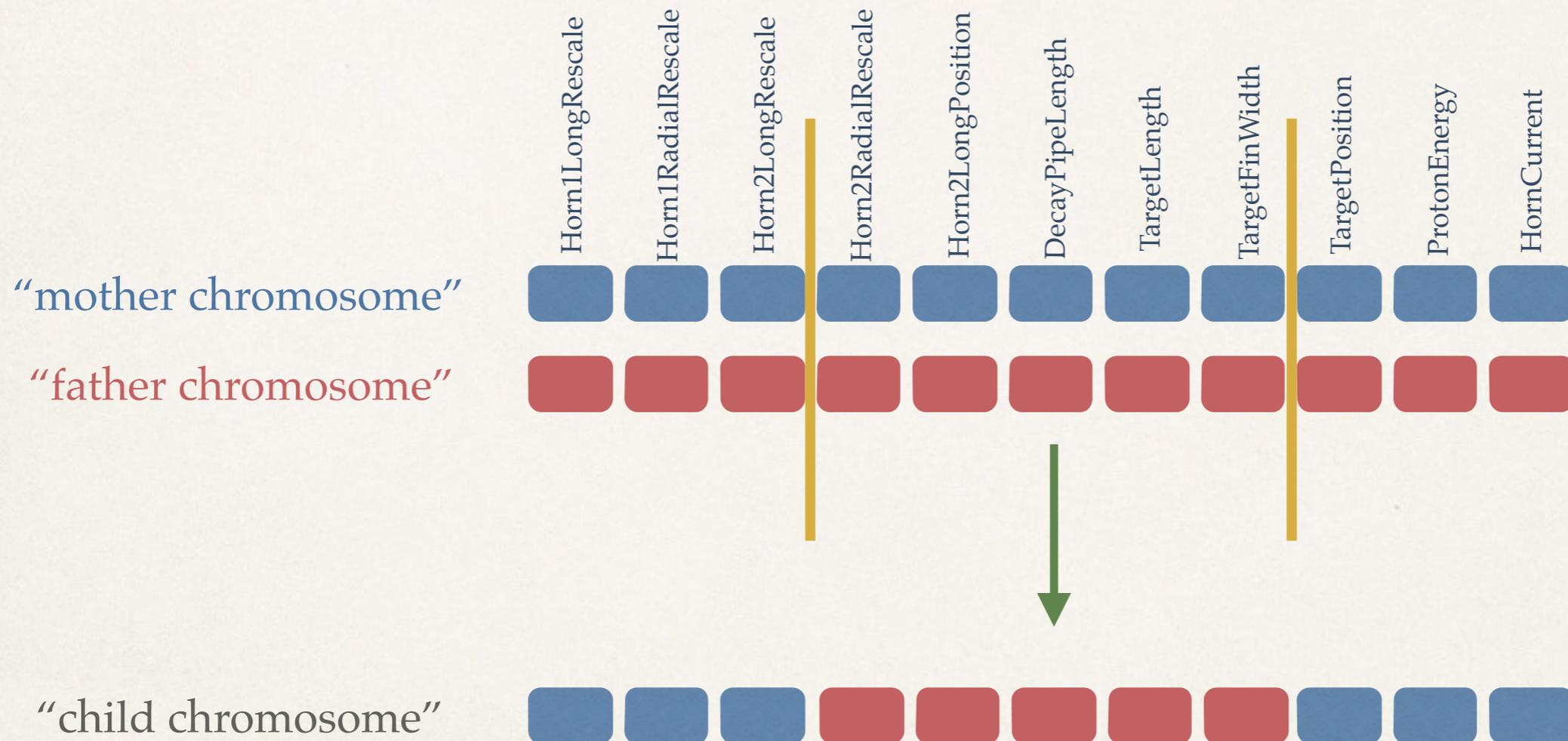
- ❖ A new optimization is running now that allows neutrino and antineutrino parameters to float separately
- ❖ This study uses an idealized horn design — with no spider supports and such; will have to study how the flux changes with a more realistic horn implementation
- ❖ Write a note and paper

The End

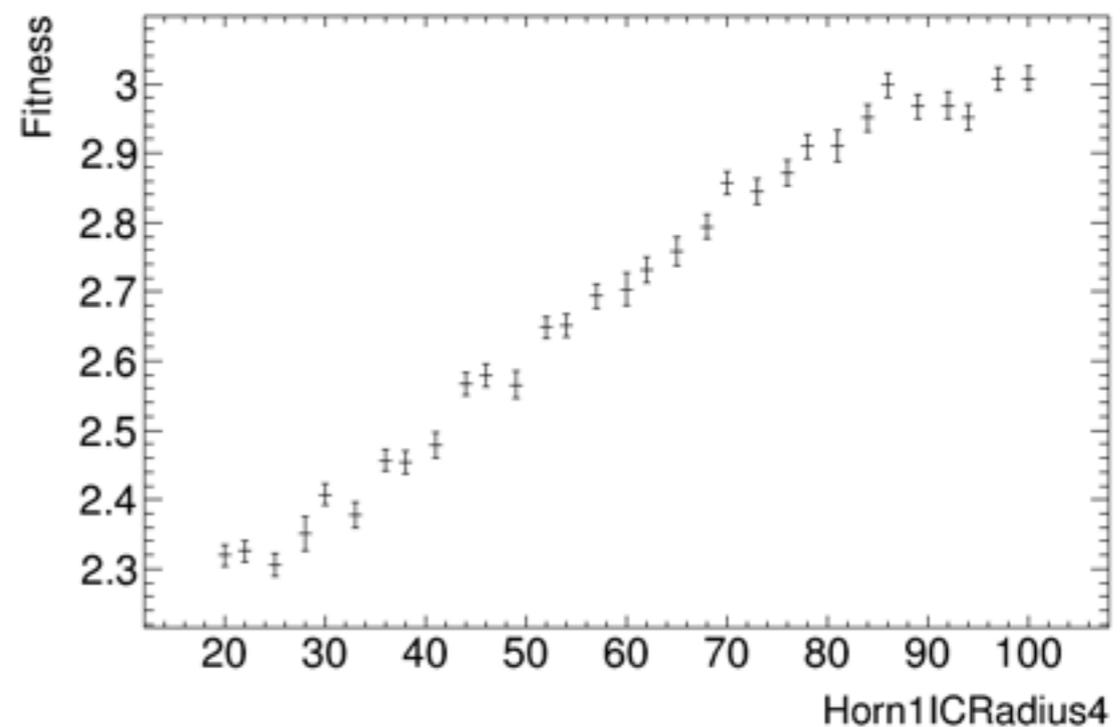
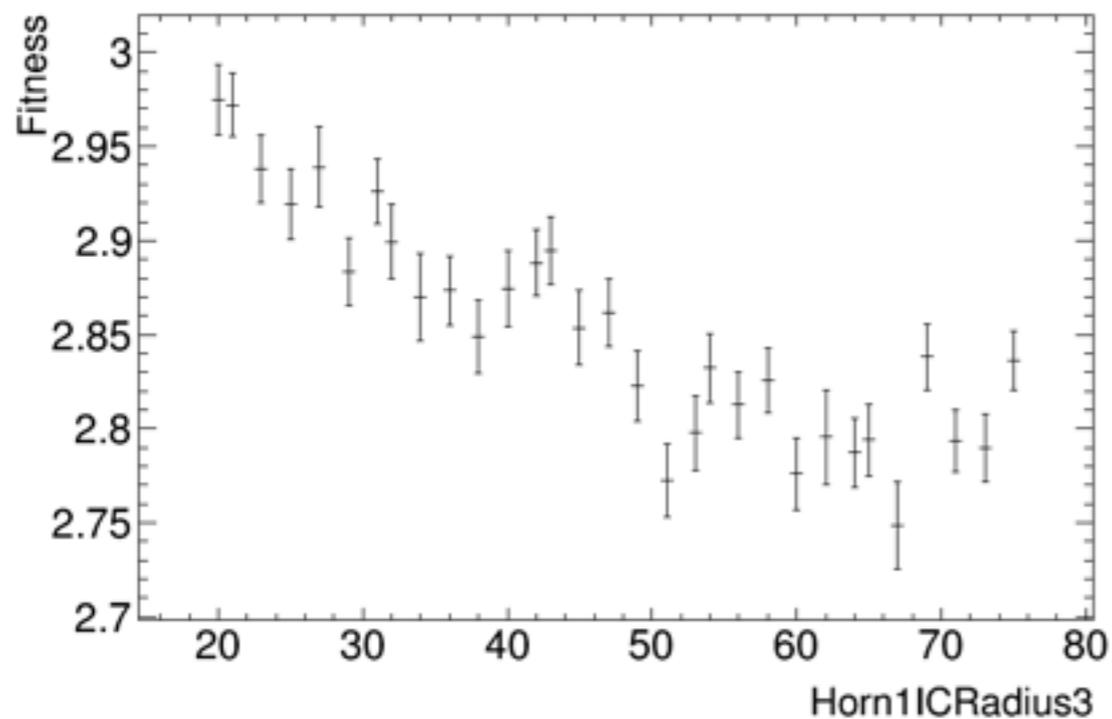
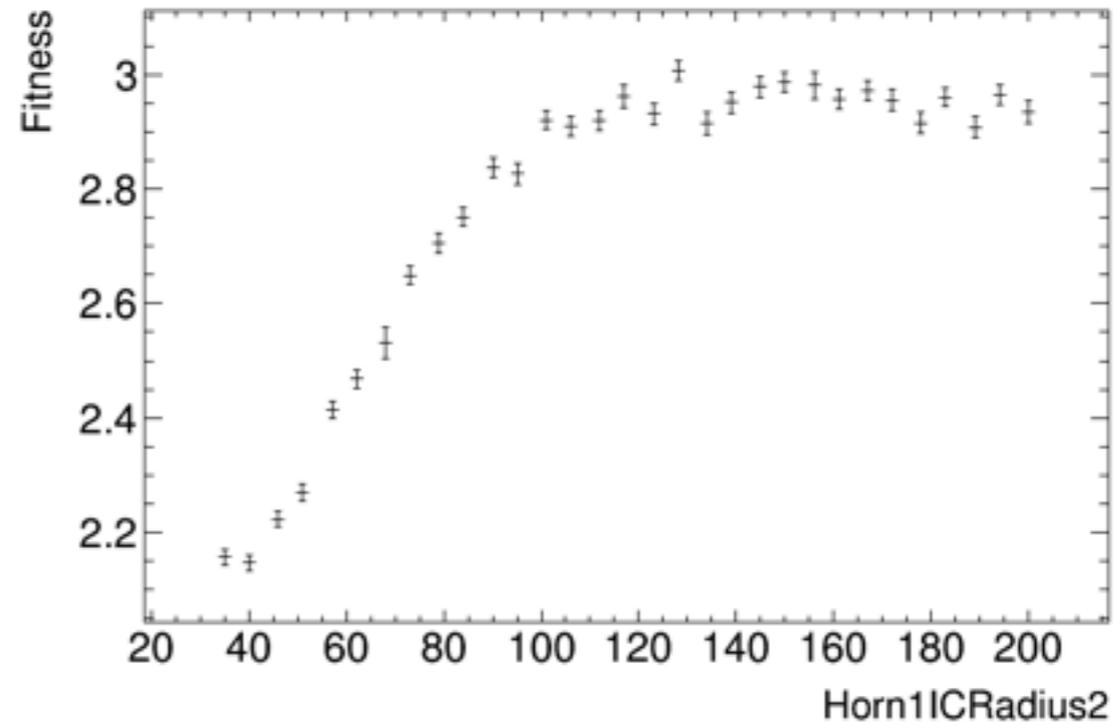
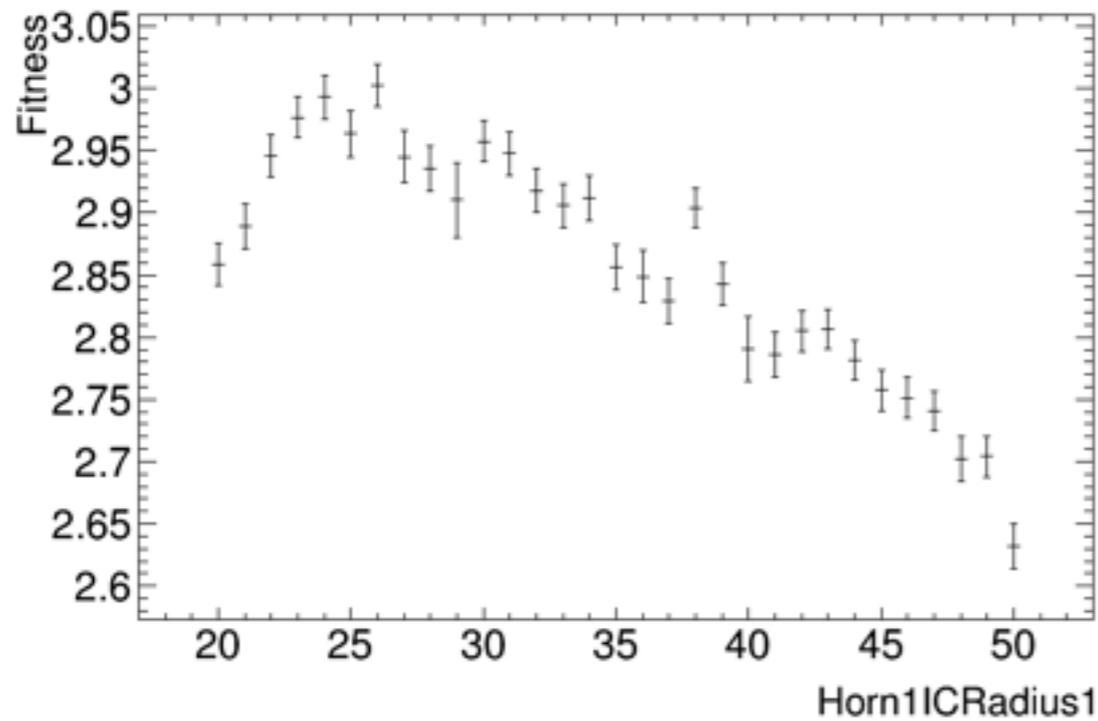
Backup

Optimization Procedure

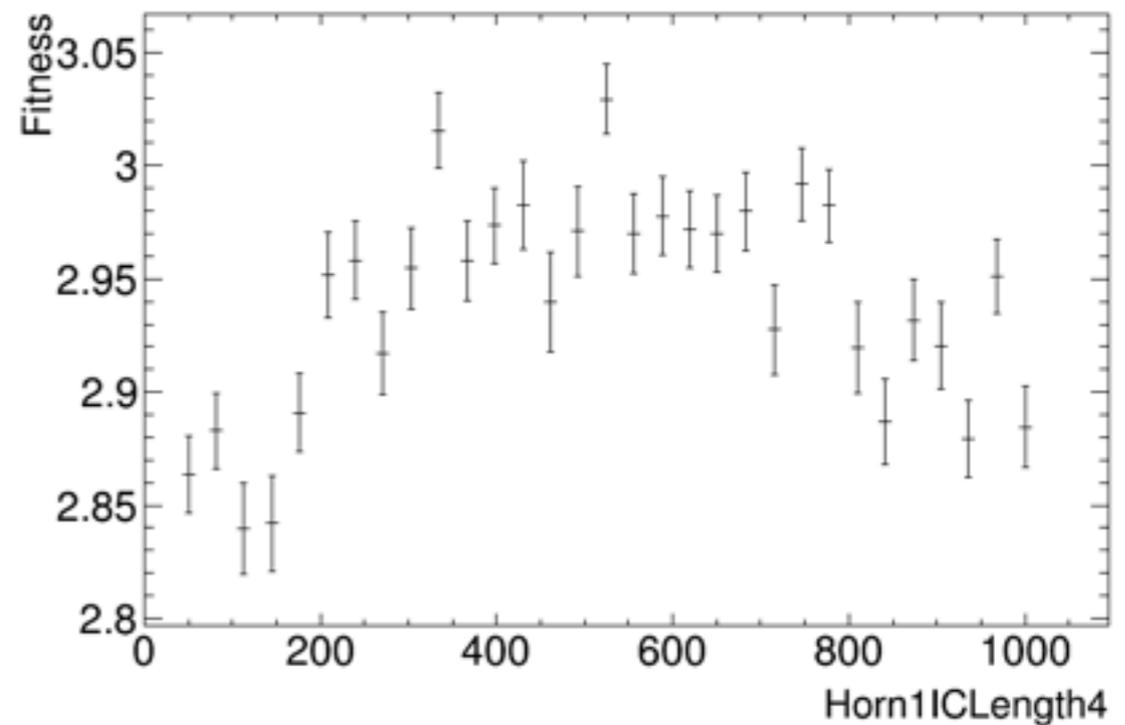
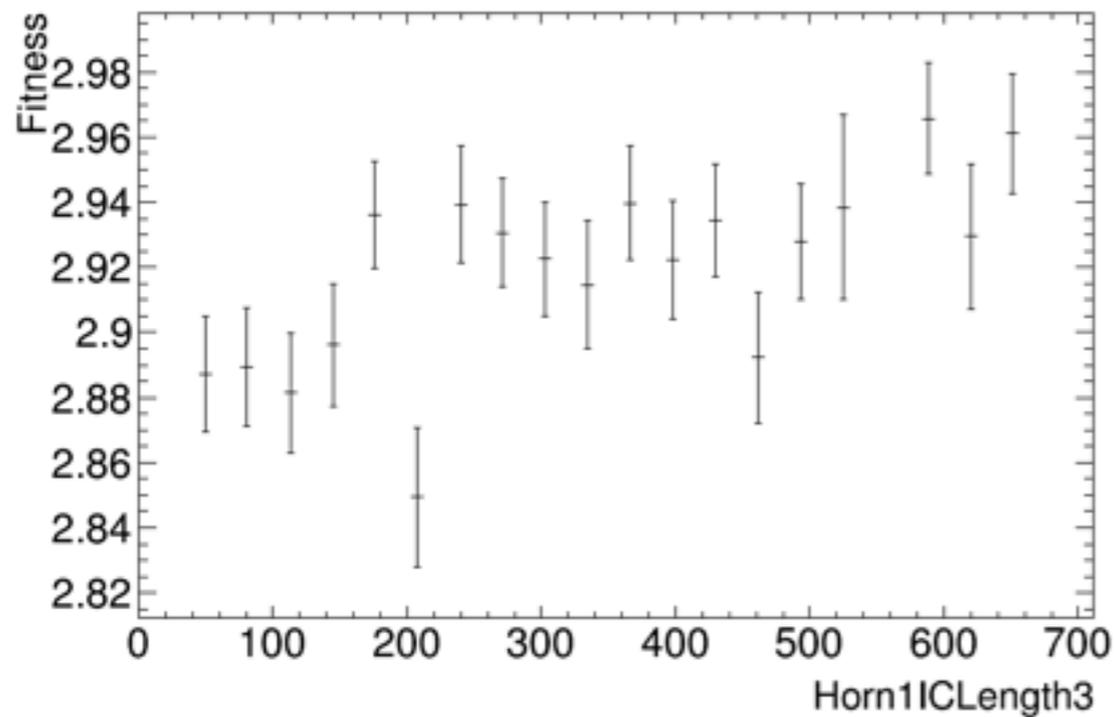
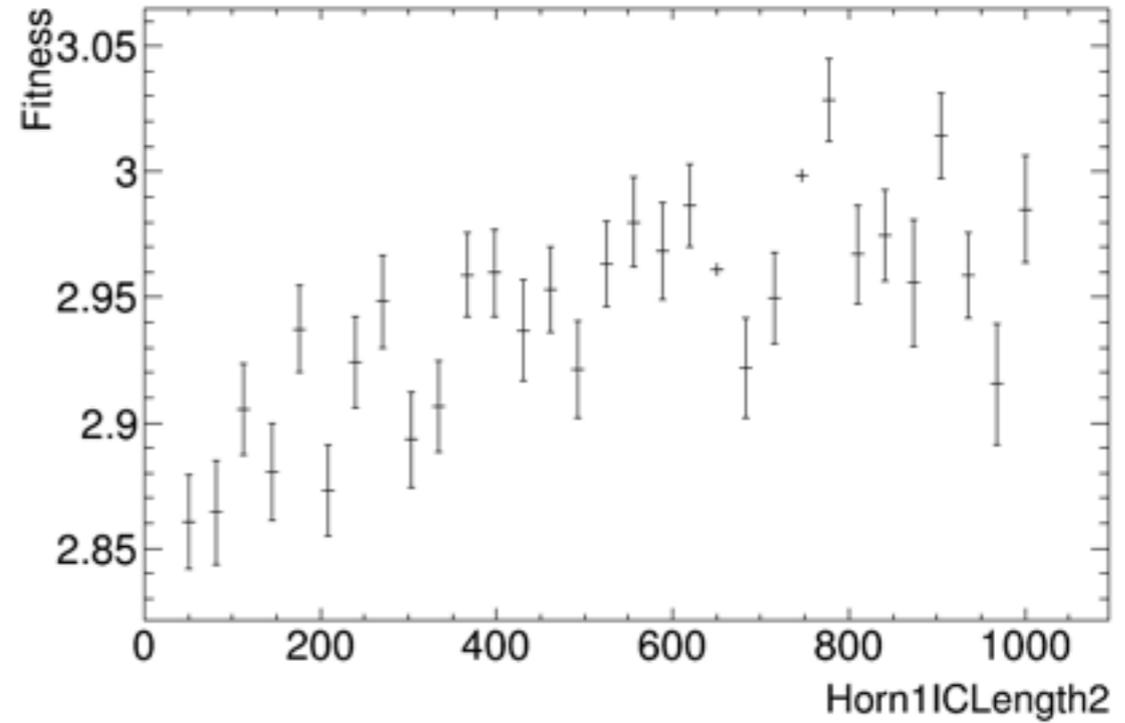
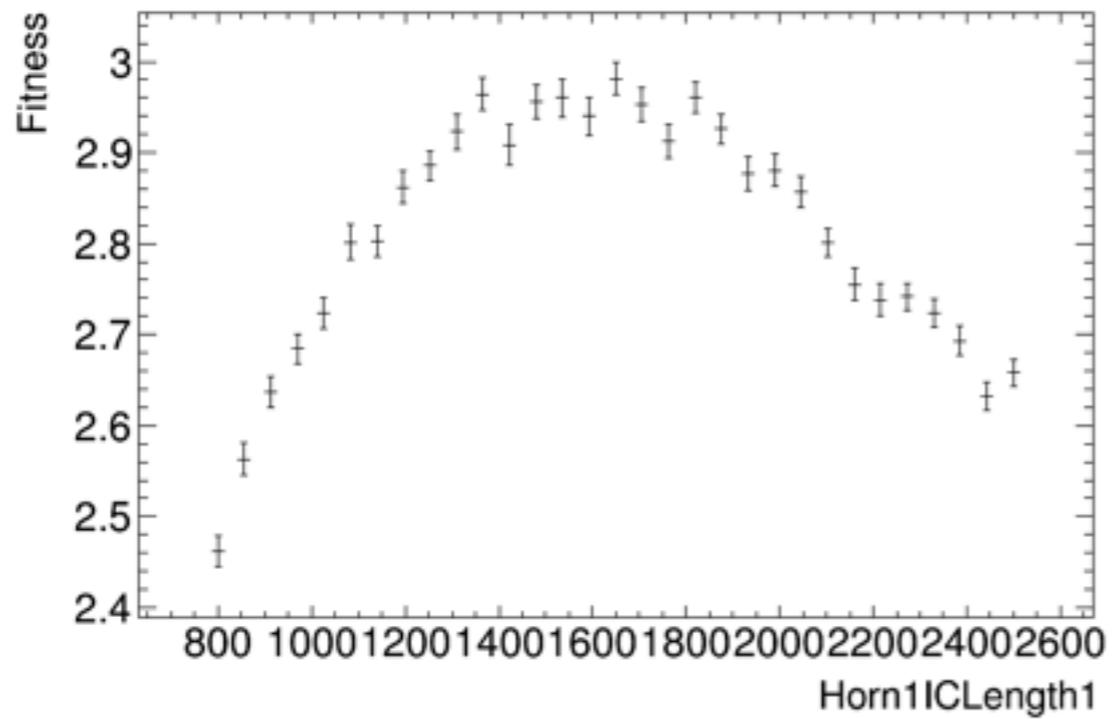
- ❖ How the mating works:



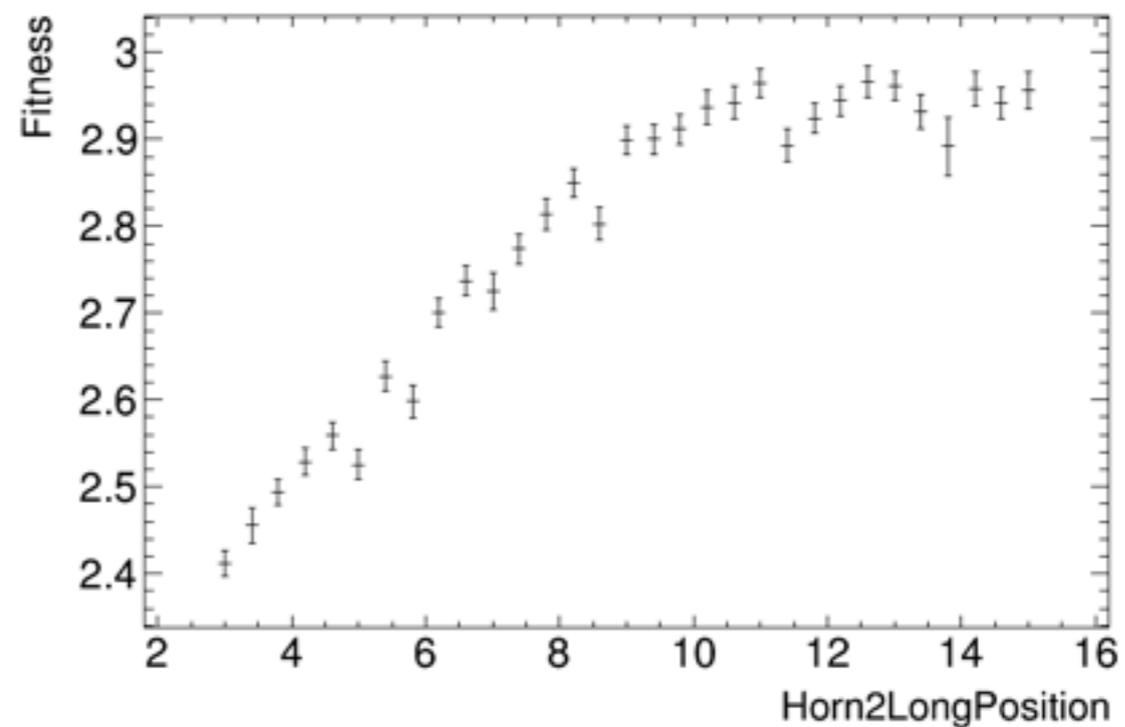
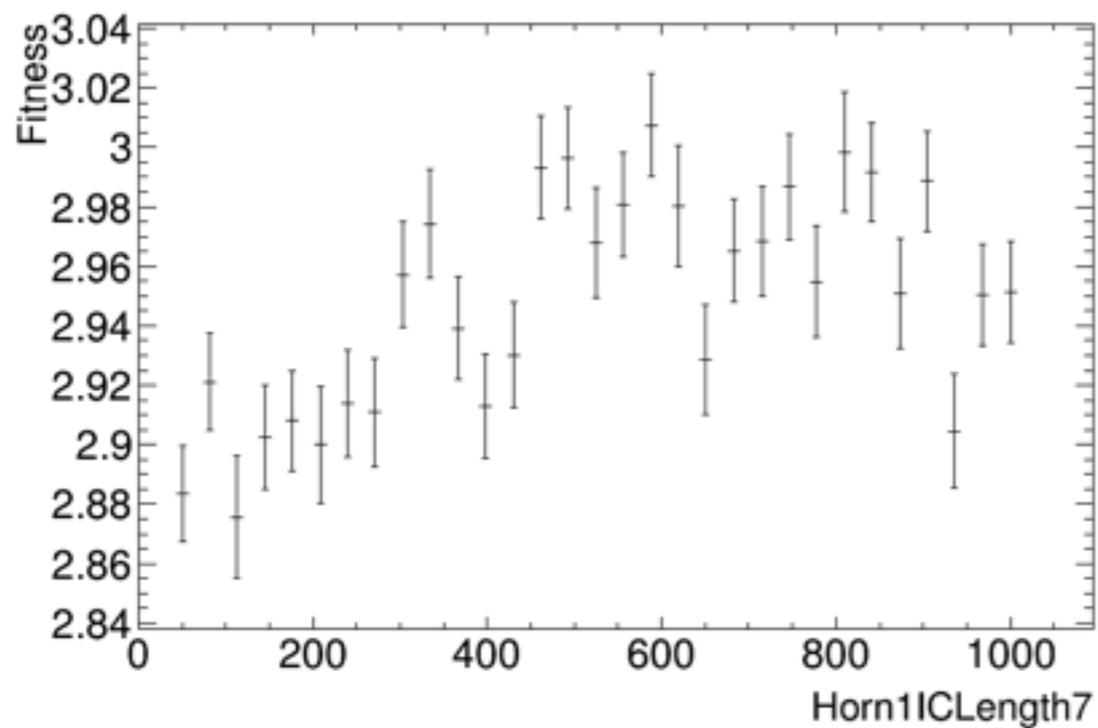
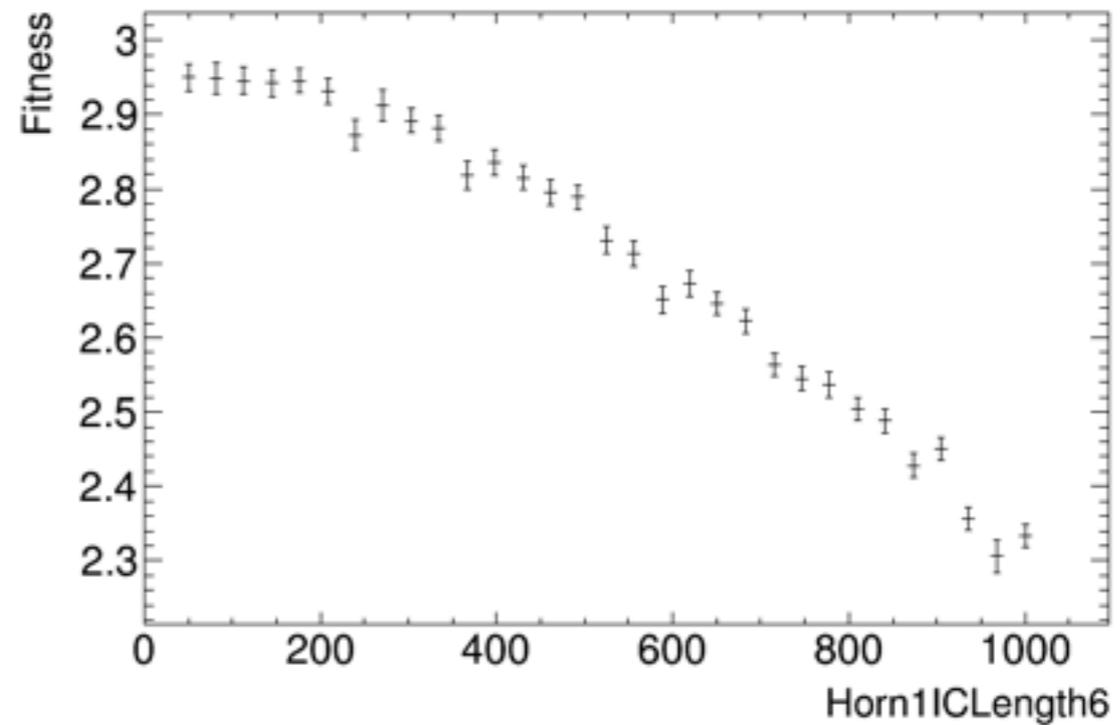
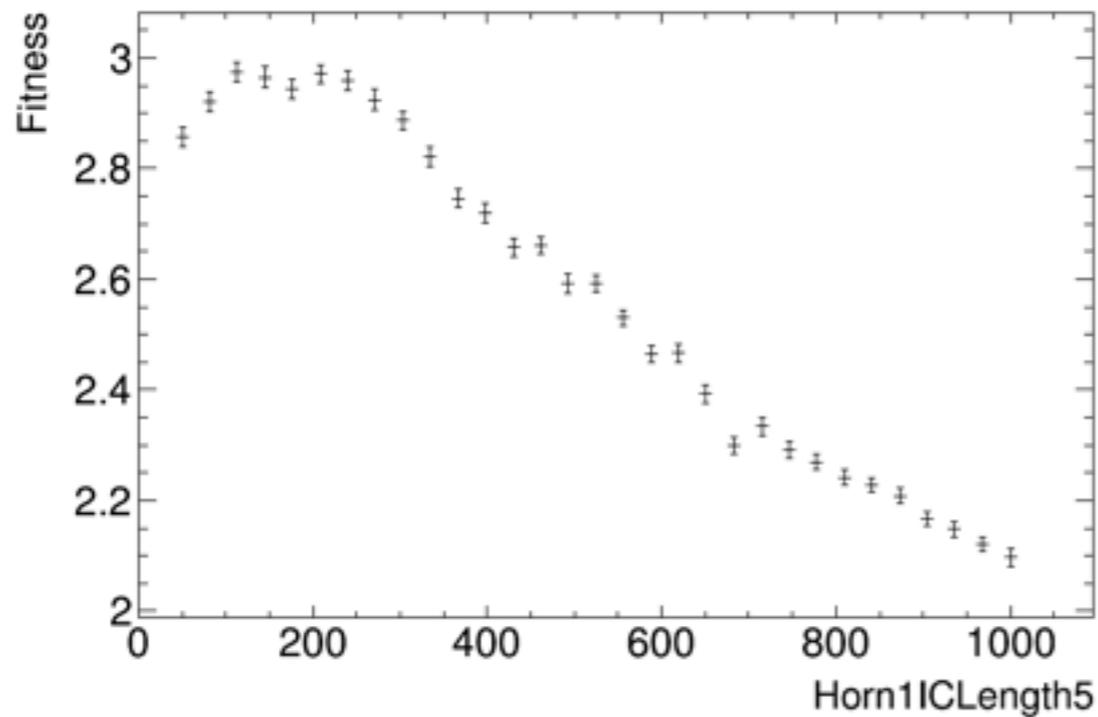
Results: Parameter Scan



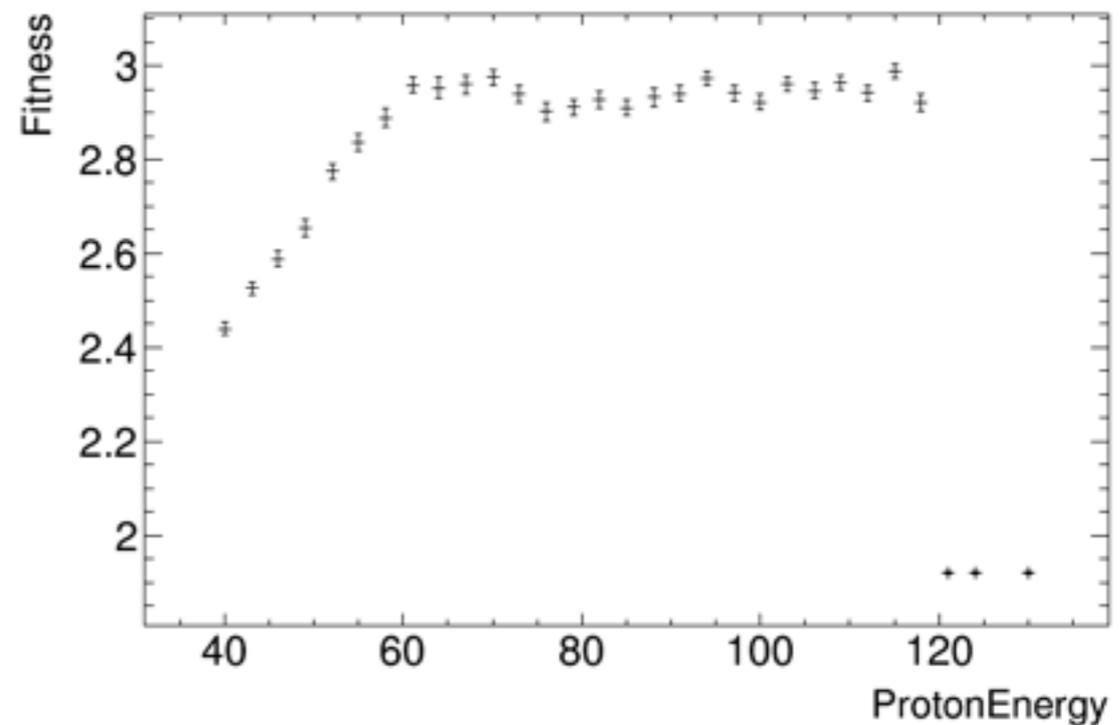
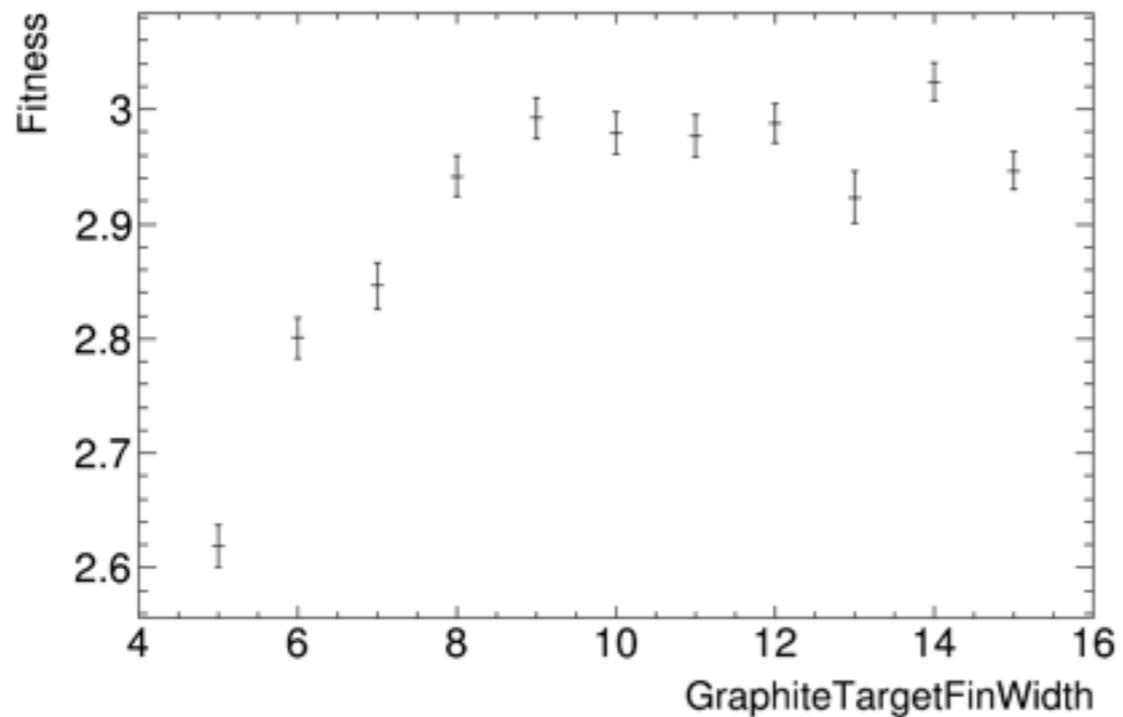
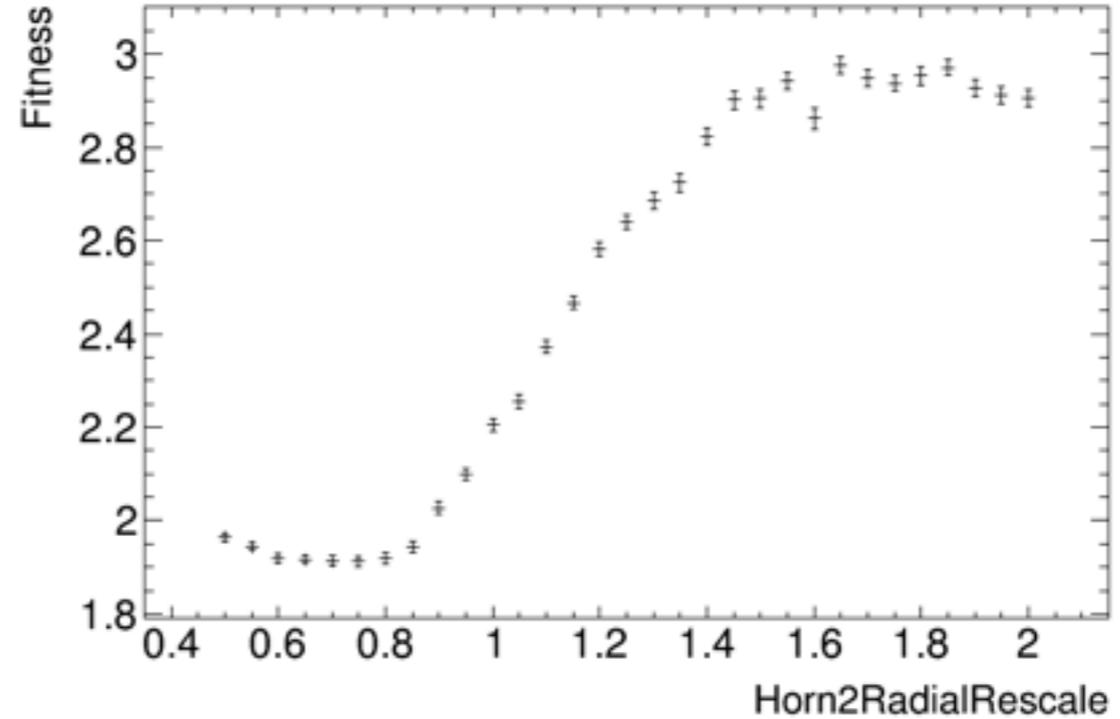
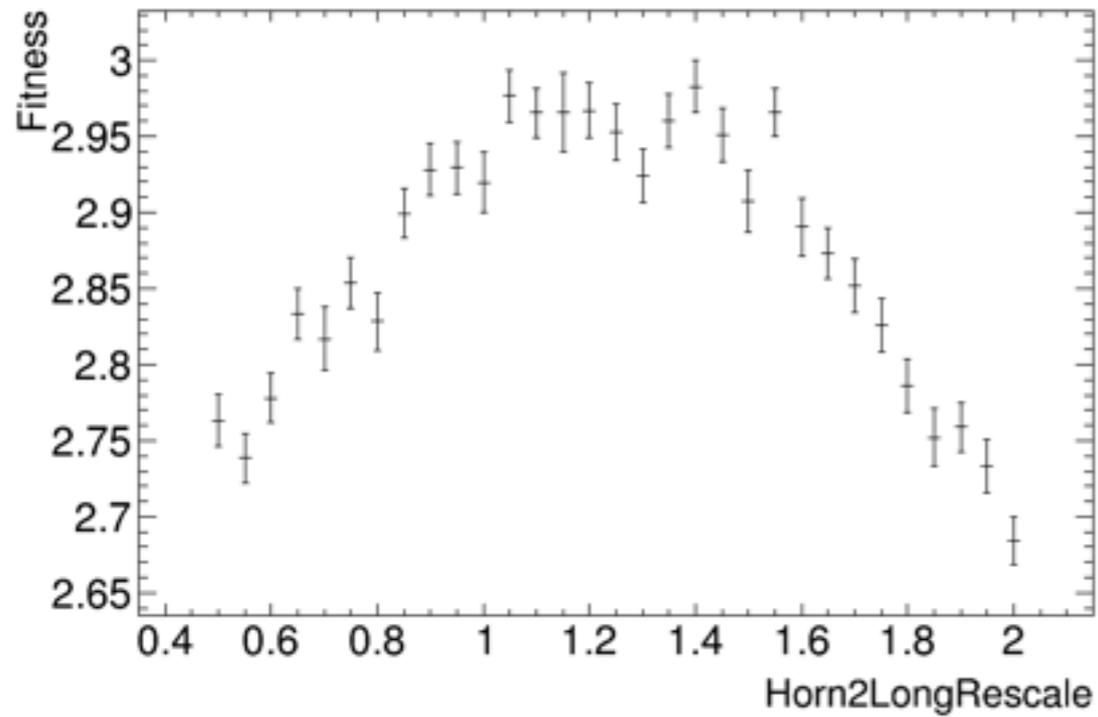
Results: Parameter Scan



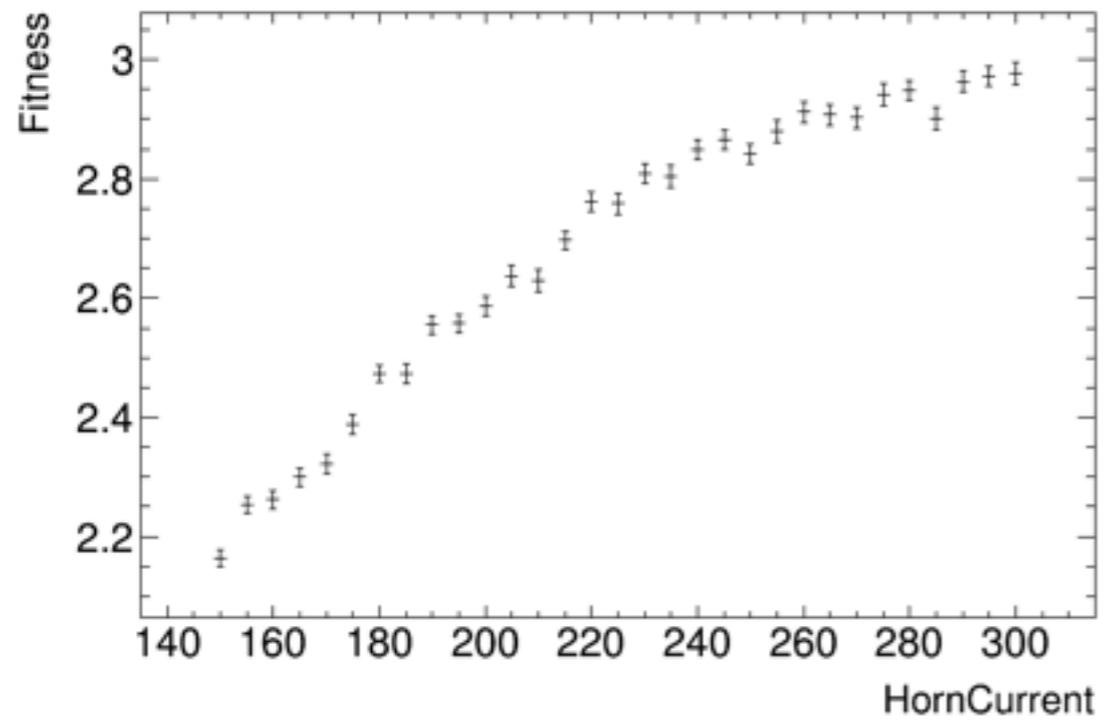
Results: Parameter Scan



Results: Parameter Scan



Results: Parameter Scan



Results: Oscillation Parameters Used In FMC

$$[\theta_{12}, \theta_{13}, \theta_{23}, \delta, \Delta m_{21}, \Delta m_{31}] =$$
$$[0.593, 0.154, 0.705, 0, 7.58E-5, (2.35 / -2.27)E-3]$$

All sensitivity plots assume 3 years x 1.2 MW (or slightly less depending on proton energy) and 34 kTon